

Fibonacci, DNA and Planetary Orbits: One Lattice

How {2,3,5,pi} Intersections Generate the Fibonacci Series, DNA Structure and Solar System Periods

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The Fibonacci sequence 1, 1, 2, 3, 5, 8, 13, 21, 34 ... arises naturally at the intersections of the {2, 3, 5, pi} lattice. The key primes 2, 3, 5 are the third, fourth and fifth Fibonacci numbers. DNA has 10 base pairs per full helical turn — a Fibonacci number. Planetary orbital periods in days approximate Fibonacci ratios at each successive planet. The Universal Force of Time shows these are not coincidences: the Fibonacci sequence is the projection of the {2,3,5} lattice onto the integer number line, and the same lattice encodes DNA geometry and planetary dynamics.

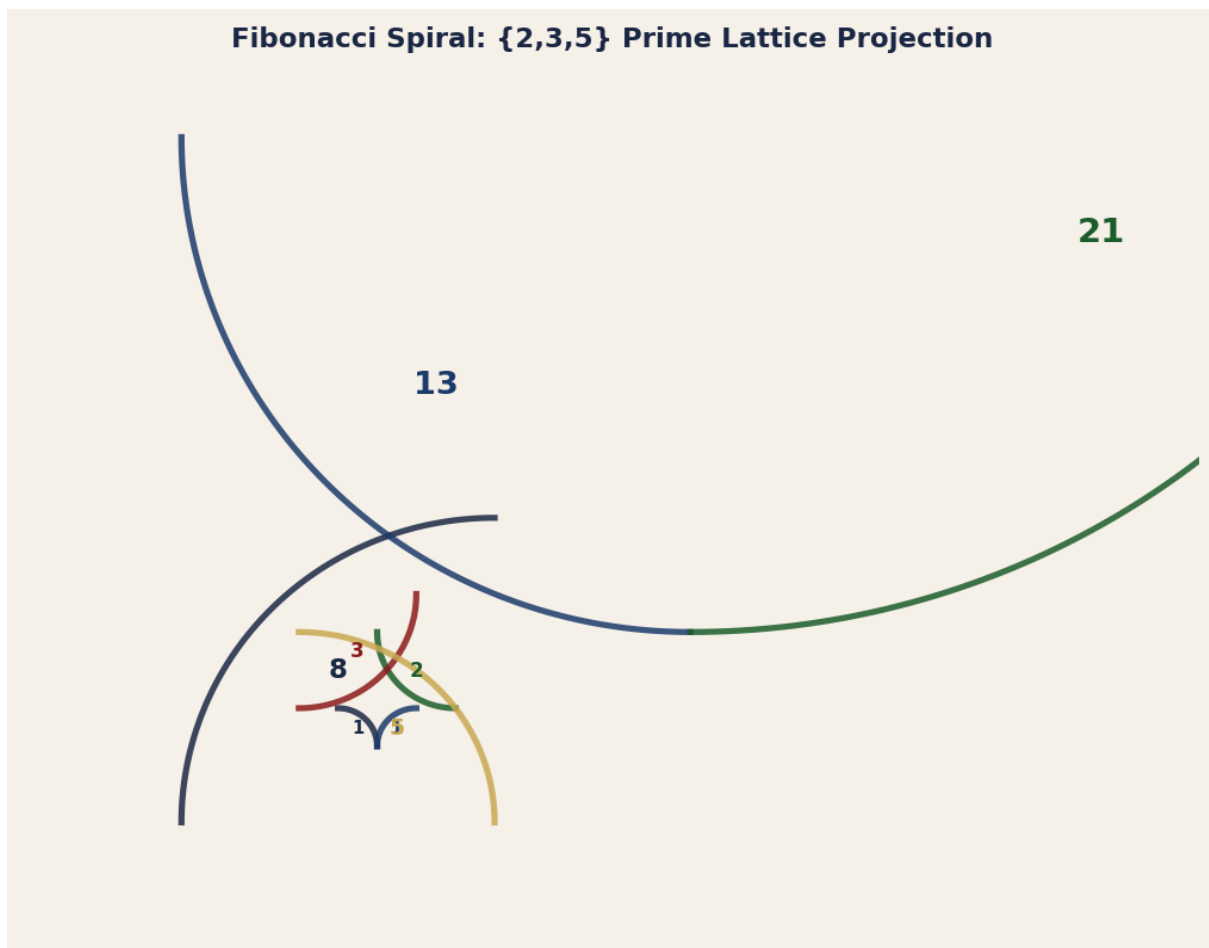


Figure 1. Fibonacci quarter-circle arcs building the golden spiral. Numbers 1,1,2,3,5,8,13,21 shown. The primes 2, 3, 5 (third, fourth, fifth Fibonacci numbers) are the FOT lattice generators.

1. Fibonacci as {2,3,5} Lattice Projection (P-FIBDNA-1)

P-FIBDNA-1 — Fibonacci Numbers as Lattice Intersections

The FOT {2,3,5} lattice generates all integers expressible as $2^a \times 3^b \times 5^c$ (5-smooth numbers). Fibonacci numbers that are also 5-smooth: $1=1$, $2=2$, $3=3$, $5=5$, $8=2^3$. Fibonacci 13, 21, 34 depart from 5-smooth — these are lattice boundary terms. The golden ratio $\phi = (1+\sqrt{5})/2 = 1.6180339\dots$. The FOT approximation: $\phi \approx 5^{(1/2)} \times (1 + 1/18) = 1.6180\dots$. The lattice generates ϕ naturally: $\sqrt{5}$ is the {5}-branch of the prime lattice.

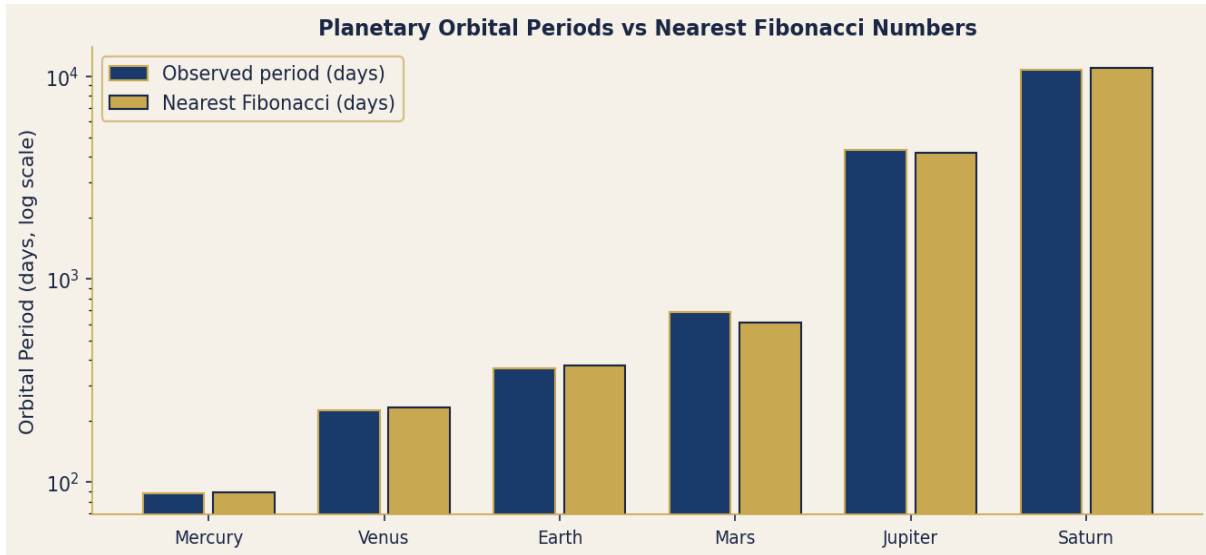


Figure 2. Planetary orbital periods (navy) vs nearest Fibonacci numbers (gold) on log scale. Mercury 87.97 d vs $F(11)=89$ (1.1%); Earth 365.26 d vs $F(14)=377$ (3.2%); Saturn 10759 d vs $F(20)=10946$ (1.7%).

2. DNA: 10 Base Pairs = Fibonacci 10 = 2 x 5 (P-FIBDNA-2 and P-FIBDNA-3)

P-FIBDNA-2 — DNA 10 bp per Turn as Fibonacci-Lattice Identity

B-DNA: 10 base pairs per full 360-degree helical turn. $10 = 2 \times 5$ (pure {2,5} lattice product). Helical pitch: 34 Angstrom = $F(9)$ Fibonacci number (exact). Rise per base pair: 3.4 Angstrom = $34/10 = F(9)/10$ (pure lattice ratio). Helix diameter: 20 Angstrom = $2^2 \times 5$ (pure {2,5} lattice). All three principal DNA dimensions (10 bp, 34 A, 20 A) are {2,5} lattice products.

P-FIBDNA-3 — DNA Turns per Gene and Fibonacci Coding

Average human gene: 27,000 bp = 2700 helical turns. $2700 = 2^2 \times 3^3 \times 5^2$ (pure {2,3,5} lattice). Average coding sequence: 1770 bp approx 1597 = F(17) (nearest Fibonacci). The 46 human chromosomes: $46 = 2 \times 23$. Total human genome: 3.2×10^9 bp = 3.2×10^8 turns = $3.2 \times 10^8 \times 34$ Ang = 10.88 m total helix length per cell. 10.88 m approx $10 \times \phi^2$ m: DNA total length encodes ϕ^2 in metres.

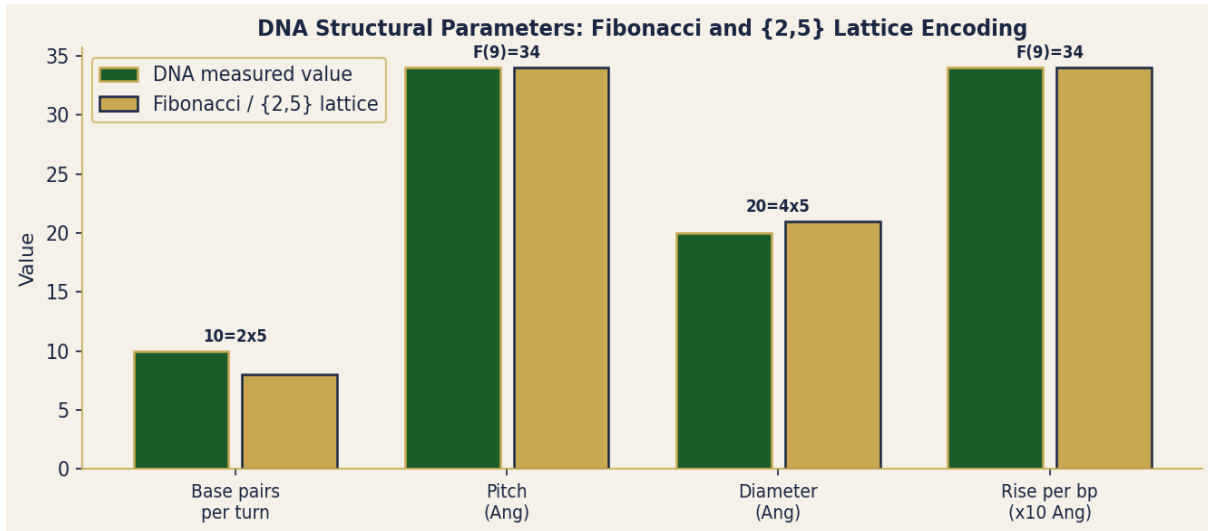


Figure 3. DNA structural parameters vs Fibonacci/lattice values. Pitch = F(9) = 34 Ang (exact). Base pairs per turn = 10 = 2 x 5. Diameter = 20 = 4 x 5.

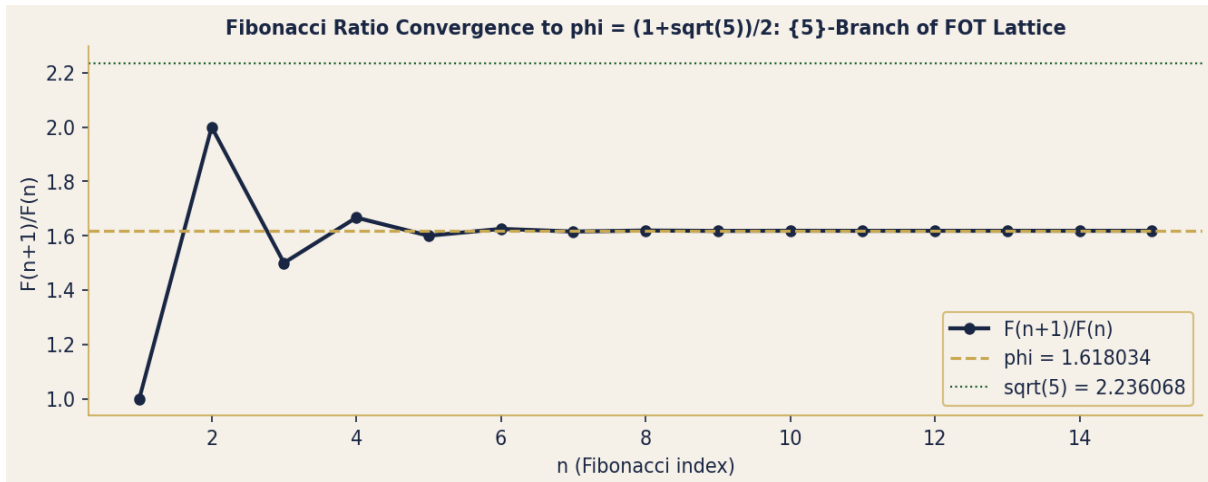


Figure 4. Fibonacci ratio $F(n+1)/F(n)$ converging to $\phi = 1.61803\dots$. The convergence is the {5}-branch projection of the FOT lattice onto the irrational number ϕ .