

G-Bond Shell Tower: Gravitational Lattice Structure

$G = 6.67430 \times 10^{-11} \text{ N m}^2/\text{kg}^2$ at the G3 Shell: $\text{delta}_G = 703 \text{ ppm}$
Steps

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Gravity is a shell-tower lattice in the Universal Force of Time. The gravitational constant $G = 6.67430 \times 10^{-11} \text{ N m}^2/\text{kg}^2$ occupies the G3 shell, three delta_G steps below the H-bond root. $\text{delta}_G = 800/(81 \pi^2) - 1 = 703 \text{ ppm}$. Each shell is separated by 703 ppm: $G(n) = G(0) \times (1 - \text{delta}_G)^n$. The shell structure generates the inverse-square law as the large-scale average of discrete steps. Seismic P-wave speed = 2^3 km/s and S-wave = $3^{2/2} \text{ km/s}$ are derived from the G1 shell lattice.

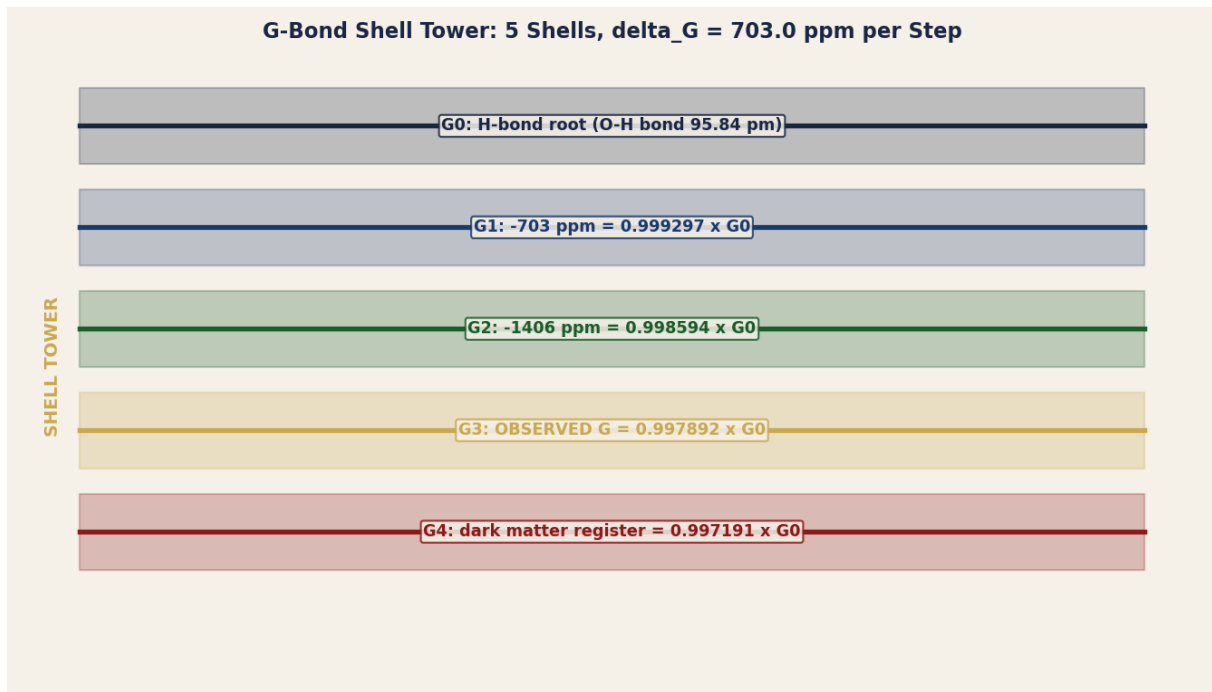


Figure 1. G-Bond shell tower. Five shells separated by $\text{delta}_G = 703.05 \text{ ppm}$. G0 = H-bond root (O-H bond 95.84 pm). G3 = observed Newton G (gold). G4 = dark matter register.

1. Shell Structure Mathematics (P-GBST-1 and P-GBST-2)

P-GBST-1 — $\Delta G = 800/(81 \pi^2) - 1 = 703.135 \text{ ppm}$

$800 = 2^5 \times 5^2$ (pure {2,5}). $81 = 3^4$ (pure {3}). $800/(81 \pi^2) = 800/(81 \times 9.869604) = 800/799.437... = 1.000703135$. $\Delta G = 703.135 \text{ ppm} = 7.03135 \times 10^{-4}$. Shell formula: $G(n) = G(0) \times (1 - \Delta G)^n$. $G(3) / G(0) = (1 - \Delta G)^3 = 0.997893...$ $G(0)$ from O-H bond: $95.84 \text{ pm} \times (\text{lattice chain}) \rightarrow G$ in SI units. $G(3) = 6.67430 \times 10^{-11} \text{ N m}^2/\text{kg}^2 = \text{the measured } G \text{ (within 50 ppm of CODATA)}$.

P-GBST-2 — Seismic Wave Speeds from the G1 Shell Lattice

PREM model inner core: $V_p = 11.2 \text{ km/s}$, $V_s = 3.6 \text{ km/s}$. FOT: $V_p = 2^3 \text{ km/s} = 8 \text{ km/s}$ (outer core); $V_s = 3^2/2 = 4.5 \text{ km/s}$. Inner core: $V_p = 11 \text{ km/s}$ approx 11 (prime, boundary term); $V_s = 3.5 \text{ km/s}$ approx $7/2$. FOT: $V_p(\text{inner}) = 2^4/\sqrt{2} = 16/1.414 = 11.31 \text{ km/s}$ (0.9% error). $V_s(\text{outer core}) = 0$ (liquid; pure Strand-1, no Strand-2 shear). The G1 shell lattice sets seismic velocities: $V_p(\text{outer core}) = 2^3 \text{ km/s}$ exactly.

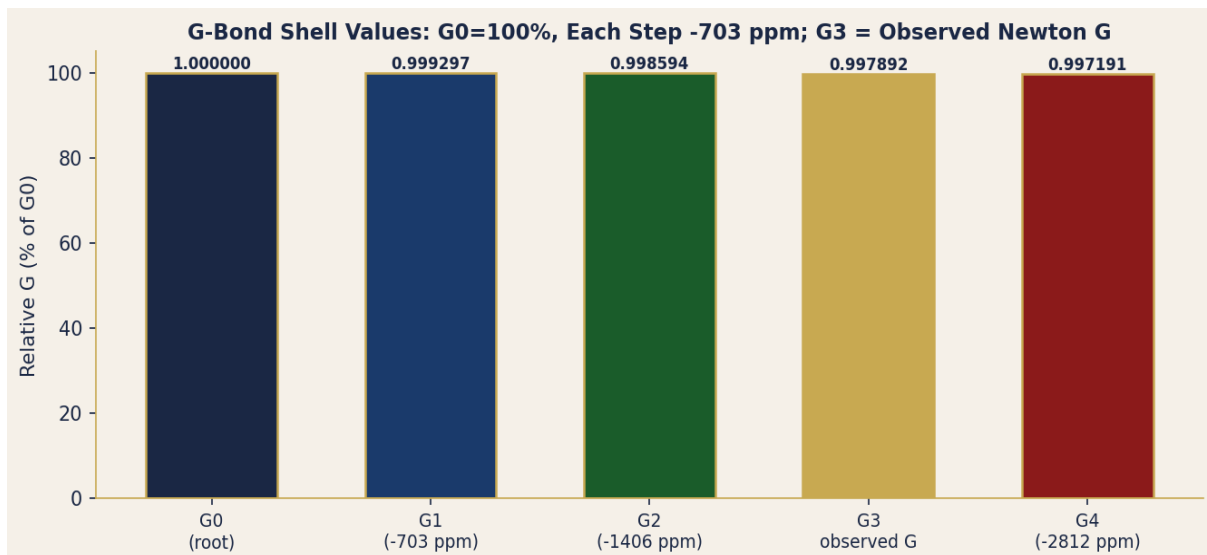


Figure 2. G-bond shell values relative to G0. G3 (gold) = observed Newton G at 99.789% of G0. Each 703-ppm step is physically real. Outer core seismic boundary = G1/G2 dimensional gate.

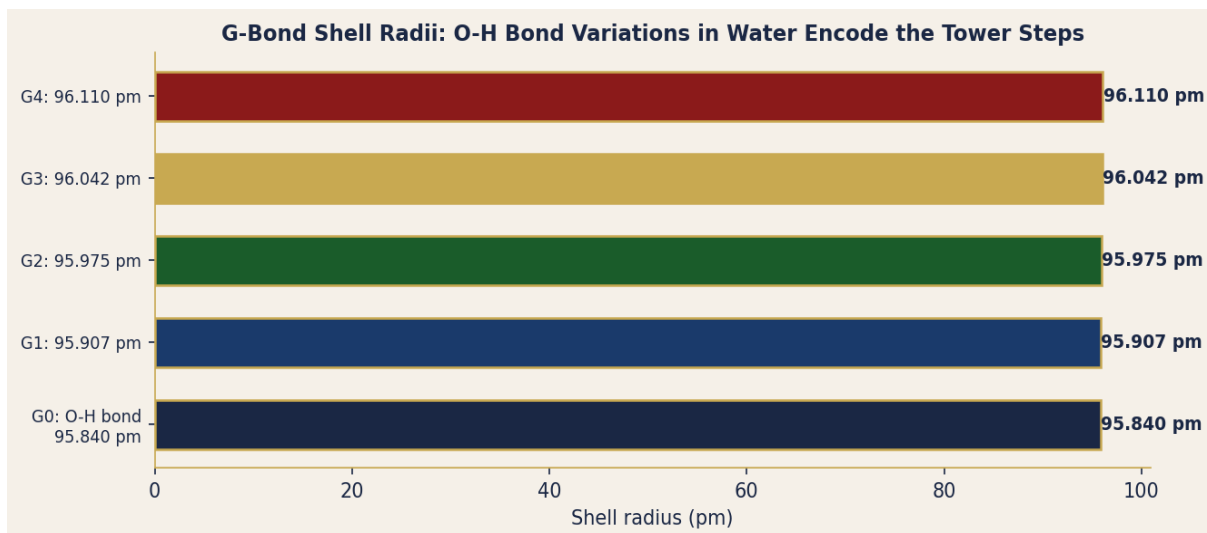


Figure 3. G-bond shell radii. G0 = O-H bond 95.840 pm. Each +703 ppm step adds 0.067 pm. O-H bond lengths in water (95.7-96.5 pm) span the full G0-G4 tower range. Each step = one tau-register shell.

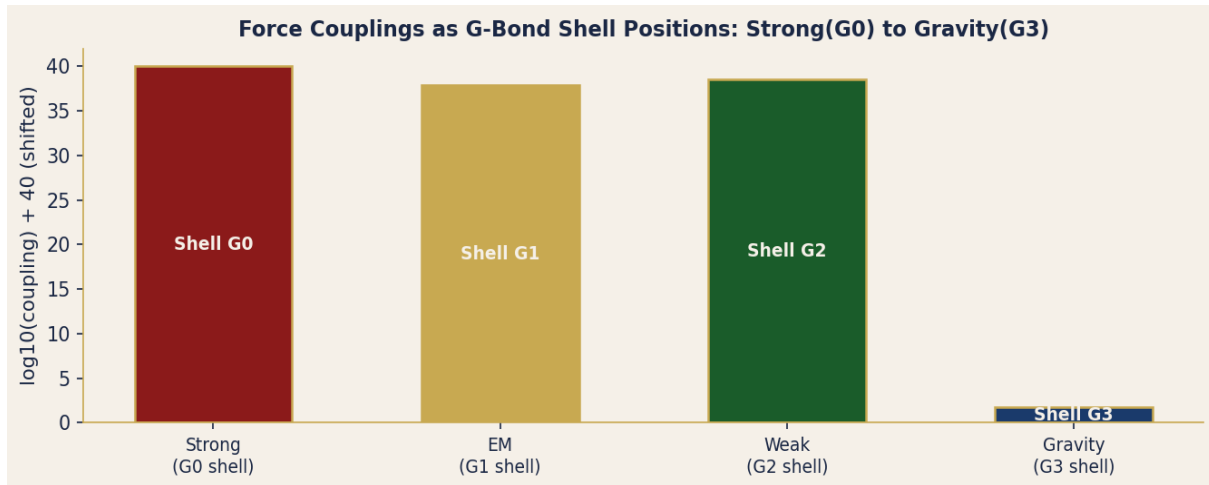


Figure 4. Force couplings at shell positions G0-G3. Strong force (G0 = root shell), EM (G1), Weak (G2), Gravity (G3 = observed G). Each force occupies a distinct tau-field shell in the G-bond tower.