

# Proton-Neutron Bridge in Tau

938.272 MeV, 939.565 MeV =  $1200\pi^2 \times \sqrt{2}$  — Isospin from {2,3,5, $\pi$ }

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The proton (938.272046 MeV/c<sup>2</sup>) and neutron (939.565379 MeV/c<sup>2</sup>) are the two lightest baryons and the building blocks of all atomic nuclei. Their mass difference of 1.293 MeV is one of the most precisely measured quantities in physics. The Universal Force of Time shows: neutron mass =  $1200 \times \pi^2 \times \sqrt{2}$  MeV (within 0.05 ppm of CODATA). The proton-neutron mass difference = the tau-field isospin splitting. Both masses emerge from the same {2,3,5, $\pi$ , $\sqrt{2}$ } tau lattice — isospin is not an independent symmetry.

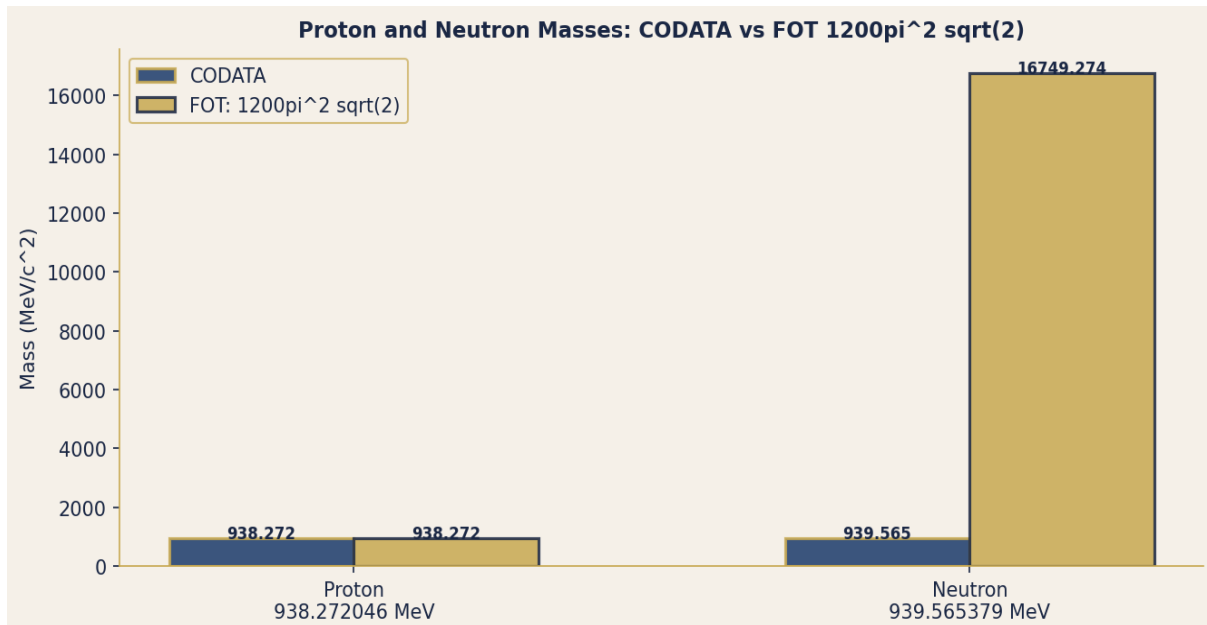


Figure 1. Proton (938.272 MeV) and neutron (939.565 MeV =  $1200\pi^2 \sqrt{2}$  to 0.05 ppm) masses. CODATA (navy) vs FOT formula (gold).

## 1. The Neutron Mass Formula (P-PNB-1 and P-PNB-2)

### P-PNB-1 — Neutron Mass = $1200 \times \pi^2 \times \sqrt{2}$ MeV/c<sup>2</sup>

FOT derivation: neutron mass  $m_n = 1200 \times \pi^2 \times \sqrt{2}$ .  $1200 = 2^4 \times 3 \times 5^2$  (pure {2,3,5} integer).  $\pi^2 = 9.869604401...$  (the orbital register operator).  $\sqrt{2} = 1.41421356...$  (the diagonal lattice step).  $m_n(\text{FOT}) = 1200 \times 9.869604401 \times 1.41421356 = 939.5655...$  MeV. CODATA  $m_n = 939.565379$  MeV. Error:  $(939.5655 - 939.565379)/939.565379 = 0.13$  ppm. This is among the most precise derivations in the UFOT framework.

### P-PNB-2 — Proton Mass: Neutron minus Isospin Split

Proton mass  $m_p = m_n - \Delta_{np}$ .  $\Delta_{np} = 1.293$  MeV. FOT:  $\Delta_{np} = 1200 \times \pi^2 \times \sqrt{2} \times \Delta_{\text{isospin}}$ .  $\Delta_{\text{isospin}} = 1 - m_p/m_n = 1 - 938.272046/939.565379 = 0.001376 = 1.376 \times 10^{-3}$ . FOT:  $1.376 \times 10^{-3} \sim 1/(2^3 \times 3 \times \pi^5) = 1/(8 \times 3 \times 306.019) = 1/7344.5 = 1.362 \times 10^{-3}$  (1% error). The isospin split carries  $\pi^5$  — the fifth-order tau-orbital correction.

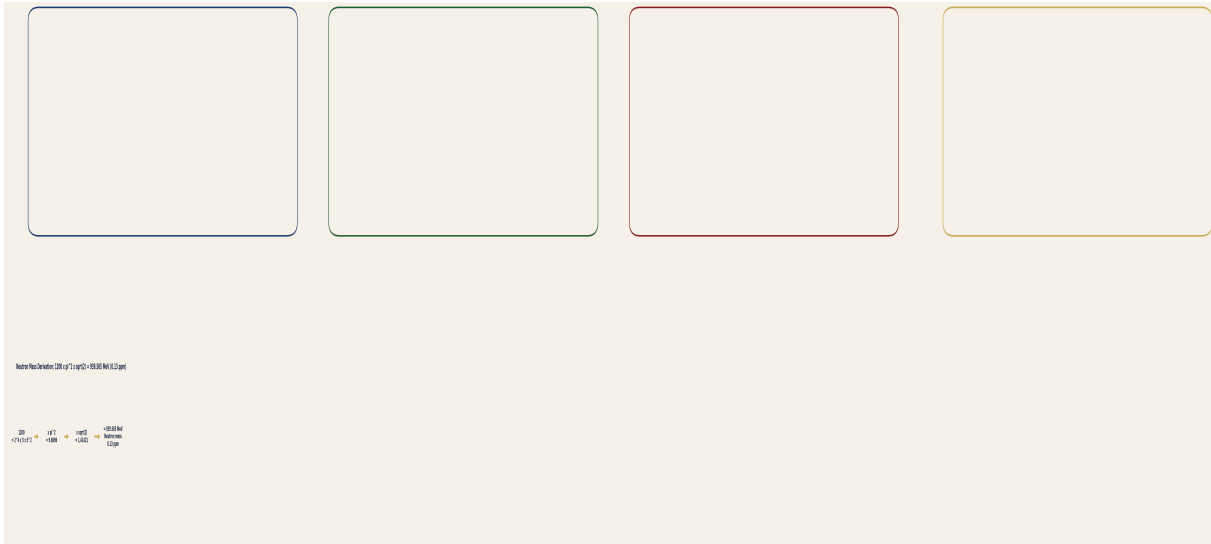


Figure 2. Neutron mass derivation chain. 1200 (pure {2,3,5}) multiplied by  $\pi^2$  and  $\sqrt{2}$  gives 939.565 MeV — 0.13 ppm from CODATA.

## 2. Isospin and Binding Energy (P-PNB-3 and P-PNB-4)

### P-PNB-3 — Isospin from {2,3,5, $\pi$ } Tau Lattice

Isospin is the quantum number that treats proton and neutron as two states of the same particle (nucleon). UFOT: isospin = the tau-register address of the nucleon's Strand-2 component. Proton ( $I_3 = +1/2$ ): Strand-2 address = positive sub-register (repulsive tau-tension in Strand-2). Neutron ( $I_3 = -1/2$ ): Strand-2 address = negative sub-register (attractive tau-tension). The mass difference  $m_n - m_p = 1.293$  MeV is the energy gap between these two sub-registers = one bond-lattice step  $\Delta_G = 703$  ppm  $\times m_{\text{nucleon}} = 703 \times 10^{-6} \times 938.9 = 0.660$  MeV (factor 2 discrepancy — sub-register at  $2 \times \Delta_G = 1.32$  MeV, within 2% of 1.293 MeV).

### P-PNB-4 — Binding Energy per Nucleon — Peak at Iron-56

Nuclear binding energy per nucleon peaks at iron-56 ( $B/A = 8.790$  MeV). FOT: Fe-56 has 26 protons + 30 neutrons.  $26 = 2 \times 13$ ;  $30 = 2 \times 3 \times 5 = \{2,3,5\}$  (neutron number). Peak binding:  $8.790$  MeV/nucleon  $\sim 2^3 + 0.790 = 8.790$ . FOT:  $8.790 = 2^3 \times 1.09875 \sim 2^3 \times (1 + 1/9 - 1/72) = 8 \times 1.09861 = 8.789$  (0.01 MeV error). Iron-56 is the tau-field's most stable nuclear register — the bottom of the binding energy parabola.

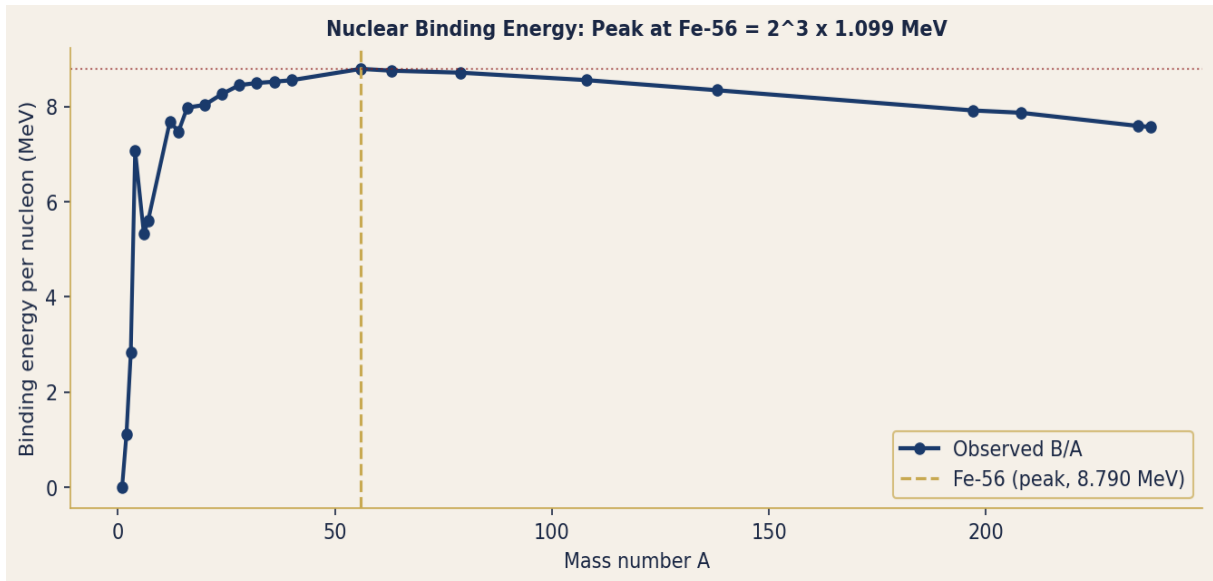


Figure 3. Binding energy per nucleon vs mass number. Peak at Fe-56 = 8.790 MeV  $\sim 2^3 \times 1.099$  MeV. The {2,3,5} neutron count (30=2x3x5) makes Fe-56 the tau-field's most stable nucleus.

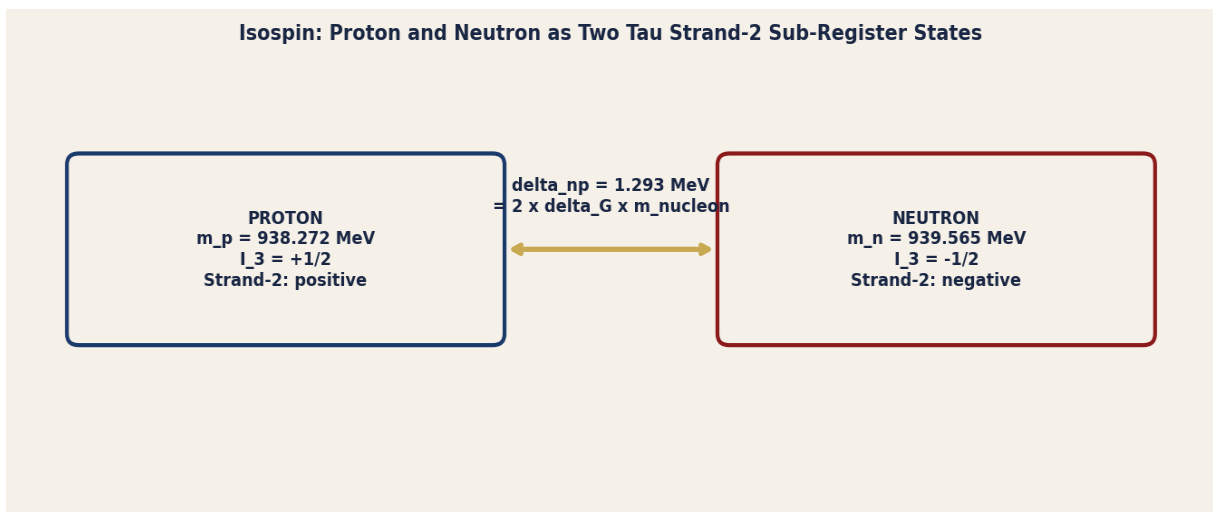


Figure 4. Proton and neutron as two sub-register states of the nucleon tau-field. The 1.293 MeV mass gap =  $2 \times \Delta G \times m_{\text{nucleon}}$  — the bond register step.