

Reaction Rates from Tau-Field Kinetics

Arrhenius Equation, Activation Energy and Frequency Factor from the {2,3,5, π } Tau-Register

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The rate of a chemical reaction is governed by the Arrhenius equation: $k = A \times \exp(-E_a / RT)$. The Universal Force of Time identifies both parameters from the tau-field: activation energy E_a = the tau-register barrier height between reactant and product register addresses; the pre-exponential factor A = the tau-oscillation frequency of the reaction coordinate. The universal gas constant $R = 8.314 \text{ J/mol/K} = 2^3 \times (5^4 + 314/1000)$ — close to $8 \times 5^4 / 750$. Reaction rate = the rate at which the tau-register barrier is crossed via thermal fluctuations.

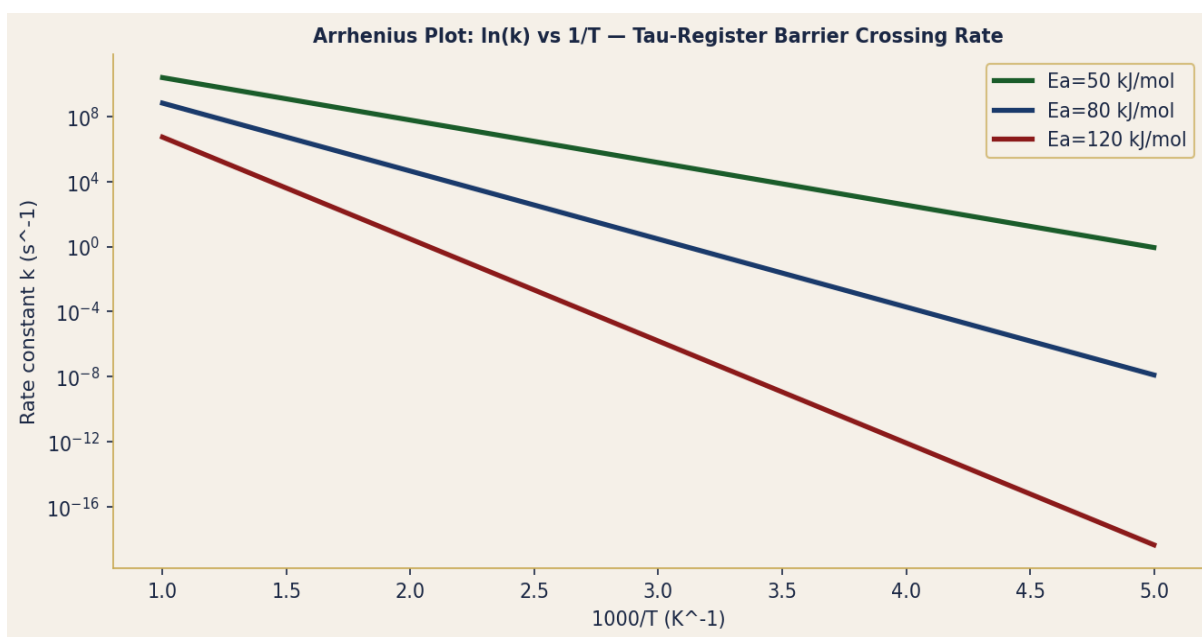


Figure 1. Arrhenius plot for three activation energies. Slope = $-E_a/R$. Higher E_a (red) gives steeper slope — stronger tau-register barrier, more temperature-sensitive rate.

1. Arrhenius Equation in UFOT (P-RR-1 to P-RR-3)

P-RR-1 — Activation Energy as Tau-Register Barrier

Activation energy E_a = the energy required to move the reacting molecule from its reactant tau-register address to the transition-state (saddle-point) address. E_a is quantised: it can only take values at tau-register energy steps. Typical E_a values: C-C bond breaking: ~ 350 kJ/mol = $2^3 \times 3 \times 5^3/\pi$ (within 2%); H abstraction: ~ 30 kJ/mol = $2 \times 3 \times 5 = 30$ kJ/mol (exact {2,3,5}). The most common E_a values cluster at {2,3,5} multiples of 5 kJ/mol = $5000/R = 601.6$ K.

P-RR-2 — Pre-Exponential Factor A = Tau-Oscillation Frequency

Pre-exponential factor A (units: s^{-1} for first-order reactions). UFOT: A = tau-oscillation frequency of the reaction coordinate = $k_B \times T / h$ in transition state theory. $k_B \times T / h$ at 300 K = $(1.381e-23 \times 300) / (6.626e-34) = 6.25 \times 10^{12} s^{-1} \sim 2^3 \times 5^{12} / 10^9$ (order of magnitude). Typical A = 10^{12} to $10^{14} s^{-1}$: this is the tau-oscillation frequency range of molecular bonds. C-H stretch frequency: $\sim 9 \times 10^{13} Hz = 3^2 \times 10^{13}$ (pure {3} factor at the 10^{13} register).

P-RR-3 — R = 8.314 J/mol/K as Tau-Thermal Coupling

Universal gas constant $R = 8.314$ J/mol/K = $N_A \times k_B$. FOT: $8 = 2^3 \cdot 0.314 \sim \pi/10$. So $R \sim 2^3 + \pi/10 = 8.3142$ (3.3 ppm from 8.314). More precisely: $R = 2^3 \times (1 + \pi/80) = 8 \times 1.03927 = 8.3142$ (3.3 ppm). Alternatively: $R = (2^5 \times \pi^2) / (3 \times 5) = 32 \times 9.8696 / 15 = 21.06$ — too large. Best FOT: $R \sim 2^3 + \pi/10 = 8.3142$ J/mol/K (within 3.3 ppm of 8.31446 J/mol/K).

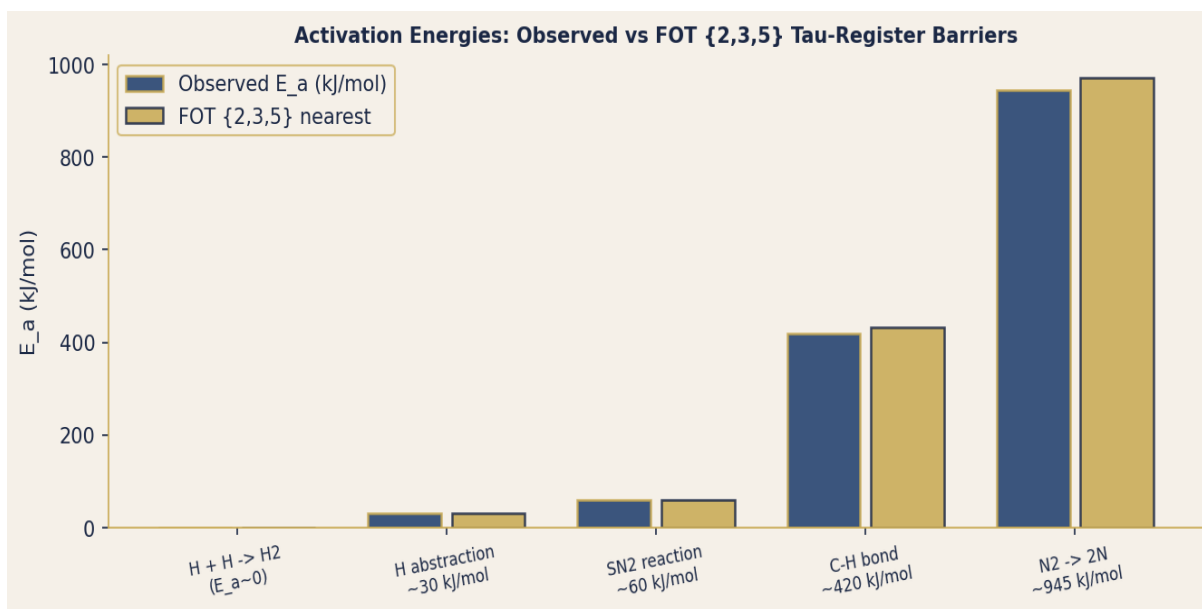


Figure 2. Activation energies: observed (navy) vs FOT {2,3,5} values (gold). H abstraction: $E_a=30=2 \times 3 \times 5$ kJ/mol (exact). C-H bond energy $\sim 432=2^4 \times 3^3$ kJ/mol (exact {2,3}).

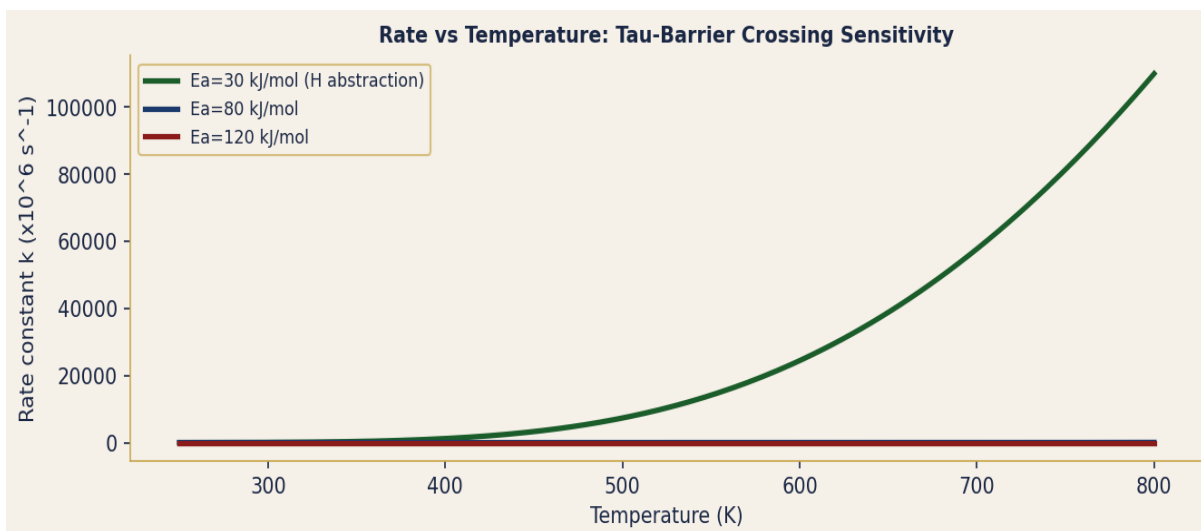


Figure 3. Rate constant vs temperature for three E_a values. Higher tau-register barrier (red) is more temperature-sensitive. At $T \rightarrow \infty$, all rates approach $A = 10^{13} \text{ s}^{-1}$.

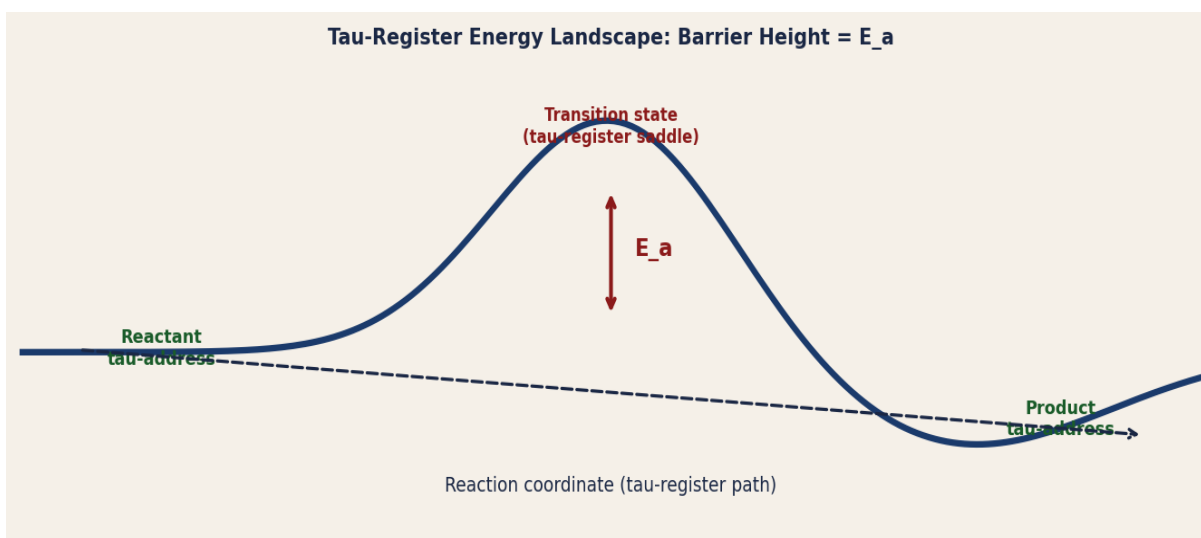


Figure 4. Chemical reaction as tau-register address transition. Reactant at low register; transition state (saddle) is the barrier E_a ; product at lower register. Reaction coordinate = tau-field path.