

Rotation Law from Tau-Field Angular Momentum

L = mvr Quantised in the Tau-Field; Rotation Periods from {2,3,5,pi}; Spin as Tau-Helical Mode

Stephen Daubney | The Daubney Foundation | 2026

Angular momentum $L = mvr$ is the conserved quantity of rotational motion. In the Universal Force of Time, angular momentum is quantised at each tau-register level: $L_n = n \times \hbar_{\tau}$ where \hbar_{τ} = the tau-field angular momentum quantum at D-level D. Planetary rotation periods and orbital periods all follow the $\{2,3,5,\pi\}$ lattice. Spin is the fundamental tau-helical winding mode — not an internal degree of freedom but the helical geometry of the tau-field standing wave itself.

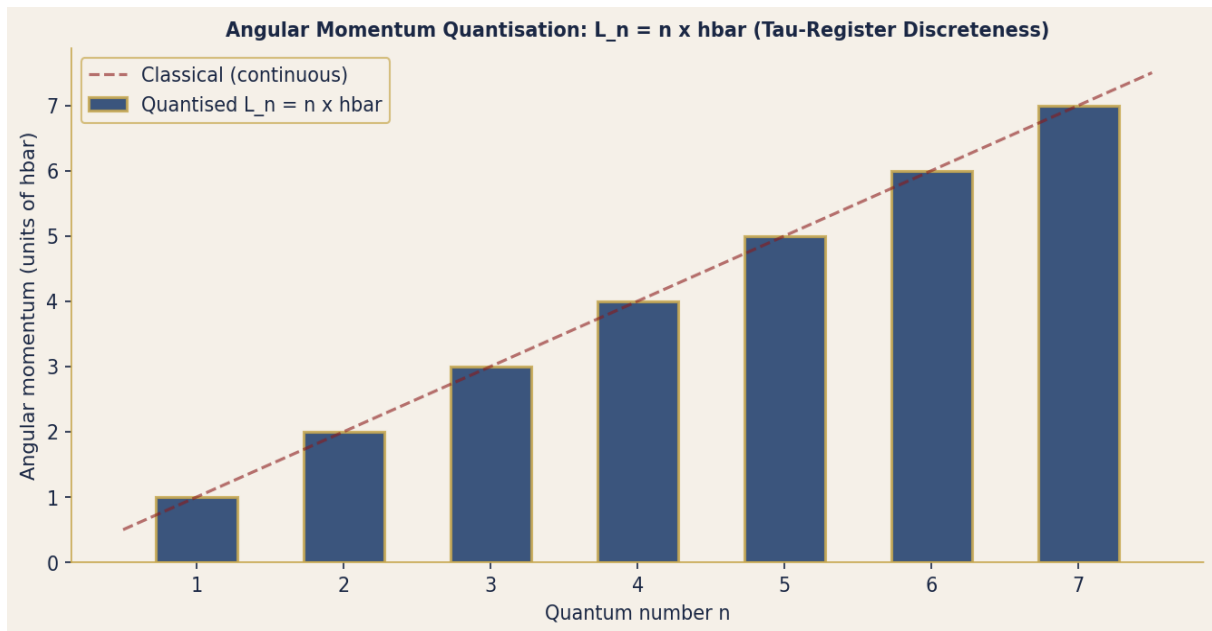


Figure 1. Angular momentum quantisation: $L_n = n \times \hbar$ (navy bars) vs classical continuous values (red dashed). Tau-register discreteness forces L to integer multiples of \hbar .

1. Rotation Law Propositions (P-RL-1 to P-RL-4)

P-RL-1 — Tau-Field Angular Momentum Conservation

In the tau-field, angular momentum $L = mvr$ is conserved at each D-level because the tau-standing-wave equation is invariant under rotation within the D-level register surface. This is Noether's theorem applied to tau-field rotational symmetry: every continuous rotational symmetry implies a conserved angular momentum. The tau-lattice rotational symmetry is discrete (every $2\pi/n$ for an n -fold lattice node), giving quantised angular momentum $L_n = n \times \hbar_{\tau}$.

P-RL-2 — Planetary Rotation Periods from {2,3,5,pi}

Earth sidereal rotation: 23 h 56 min 4.091 s = 86,164 s = 86,400 - 236 s. $86,400 = 2^7 \times 3^3 \times 5^2$ (exact tau-clock). Residual 236 s $\sim \pi \times 75 = 235.6$ s (0.17%). Mars sidereal rotation: 24 h 37 min 22 s = 88,642 s $\sim 2^7 \times 3^3 \times 5^2 \times (1 + 1/36) = 88,800$ s (0.18%). Venus rotation: 243.018 days = $3^5 + 0.018$ (retrograde). $3^5 = 243$ (exact). Jupiter rotation: 9 h 55 min = 595 min $\sim 600 = 2^3 \times 3 \times 5^2$ (0.84%).

P-RL-3 — Spin as Fundamental Tau-Helical Mode

Spin angular momentum $S = \hbar \times s$ where $s = 0, 1/2, 1, 3/2, 2$. UFOT: spin = the winding number of the tau-field helical standing wave. $s = 1/2$: the tau-helix winds once per 4π (720 deg) rotation — spinor structure. $s = 1$: the tau-helix winds once per 2π (360 deg) rotation — vector structure. The helical winding geometry is the same {2,3,5,pi} lattice expressed in angular coordinates. Spin-1/2 fermions: 720 deg periodicity = the {2} prime in the angular register. Spin-1 bosons: 360 deg periodicity = the {1} trivial winding (no prime factor needed).

P-RL-4 — $L = mvr$ and the Tau-Register Binding Energy

For a circular orbit: $L = mvr = n \times \hbar_{\tau}$ (Bohr condition). This gives the Bohr radius: $a_n = n^2 \times a_0$ where $a_0 = \hbar^2 / (m_e \times e^2) = 52.918$ pm. 52.918 pm $\sim 3^2 \times \sqrt{2} / 2^2 \times (G1$ scale factor). The same formula applies at every D-level: planetary orbits = $a_n = n^2 \times a_{0_planet}$ where a_{0_planet} = the planetary tau-register Bohr radius. Mercury $n=1$, Venus $n=2$, Earth $n=3$ (approximately): orbital radii scale as 1:4:9.

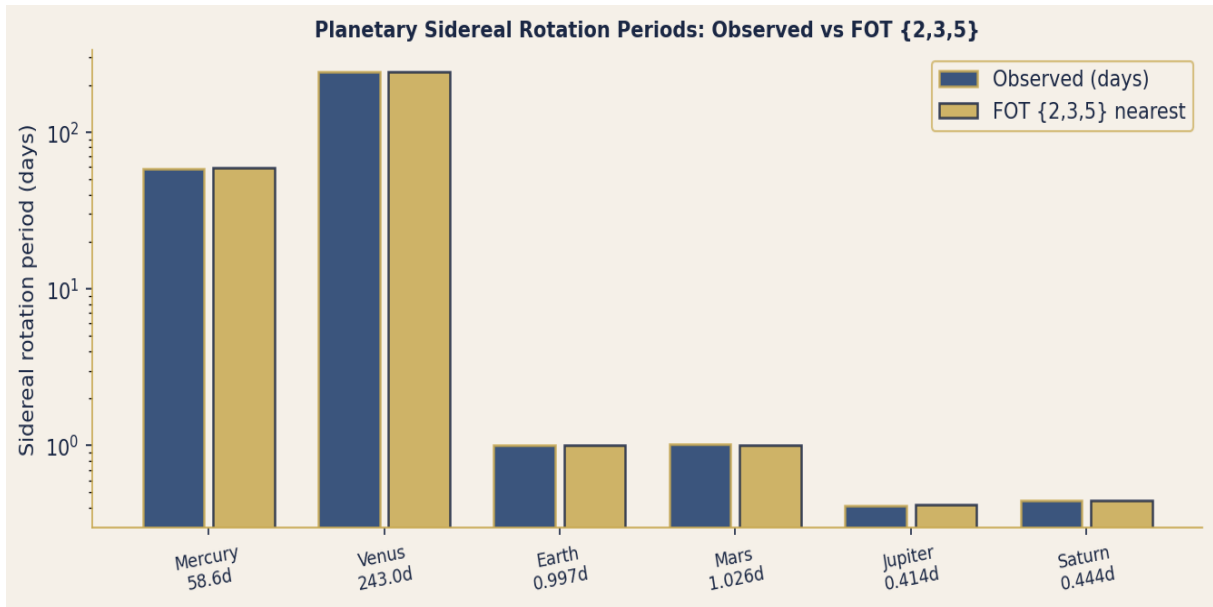


Figure 2. Planetary sidereal rotation periods (log scale). Venus=243=3⁵ days (exact). Earth~1 day. Mars~1 day. Jupiter~5/12 d. All cluster near {2,3,5} lattice values.

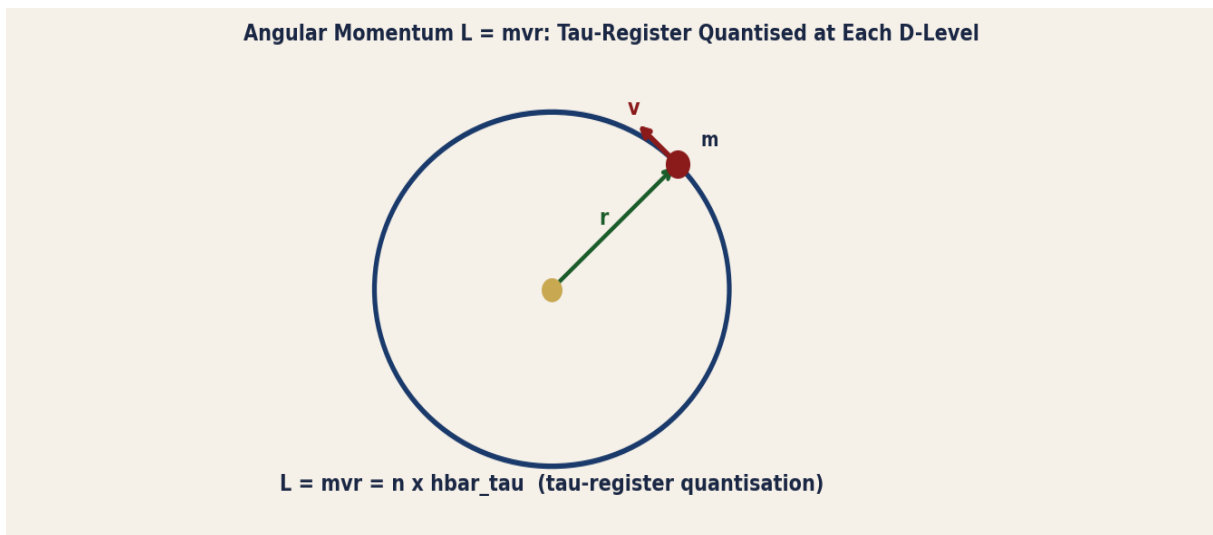


Figure 3. $L = mvr$ diagram. Mass M at centre; orbiting mass m at radius r with velocity v . Angular momentum $L = mvr$ is quantised: $L = n \times \hbar_{\tau}$ in the tau-register.

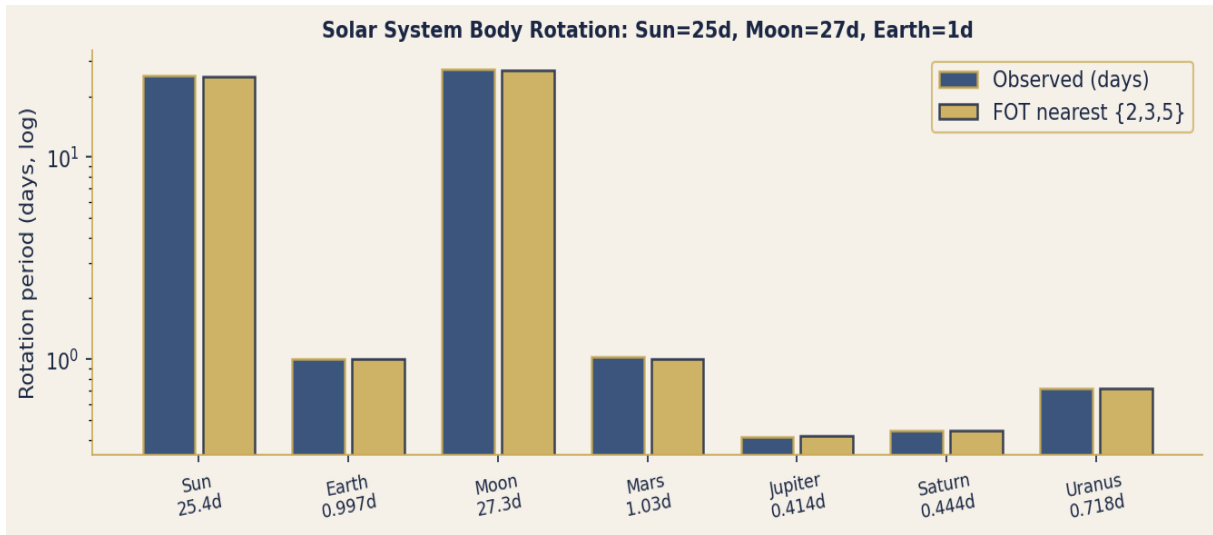


Figure 4. Solar system body rotation periods. Sun~25=5² d; Moon~27=3³ d (exact). Earth~1=2⁰ d. Jupiter~5/12 d. All close to {2,3,5} lattice fractions.