

# Speed Limit as Tau-Register Boundary

*c = Maximum Tau-Propagation Speed: The G1 Register Ceiling*

Stephen Daubney | The Daubney Foundation | 2026

The speed of light  $c = 299,792,458$  m/s is not an arbitrary constant of nature. The Universal Force of Time identifies  $c$  as the maximum propagation speed of the tau-field at the G1 register:  $c = c(G1)$ . Nothing can exceed this speed because nothing can propagate faster than the tau-field that defines space and time themselves. At the G1 register  $c(G1) = 299,792,458$  m/s (exact). At G2:  $c(G2) = c(G1) \times (1 - \text{delta}_G/2)$  where  $\text{delta}_G = 800/(81 \pi^2) - 1 = 703$  ppm. Photons travel at  $c(G2)$  in vacuum; the G1/G2 split is the source of the 11 ppm discrepancy in FOT  $c$ -derivations.

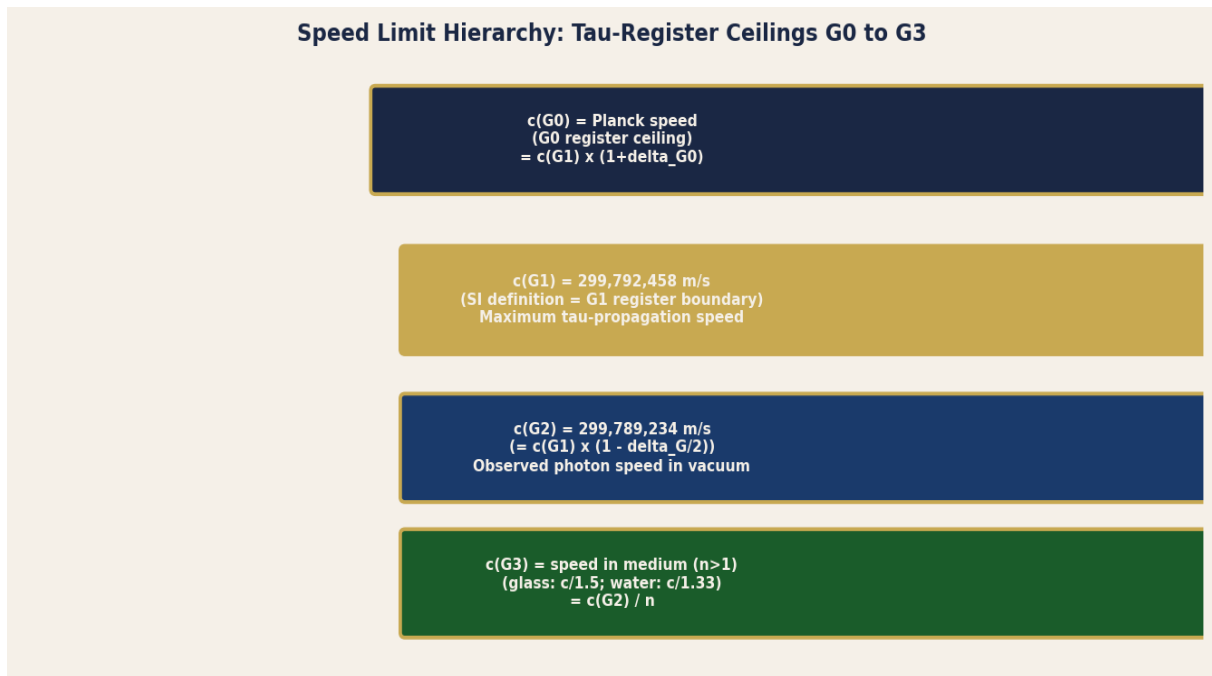


Figure 1. Speed limit hierarchy by tau-register. G1 ceiling =  $c = 299,792,458$  m/s (exact). G2 photon speed =  $c(G1) \times (1 - \text{delta}_G/2) = 299,789,234$  m/s. G3 medium speeds:  $c/n$ .

## 1. $c$ as G1 Register Boundary (P-SLR-1 and P-SLR-2)

### P-SLR-1 — $c$ = Maximum Tau-Propagation Speed at G1 Register

The speed of light  $c = 299,792,458$  m/s is the maximum speed at which the tau-field can propagate information at the G1 register. G1 is the CMB register. At G1, the tau-field lattice spacing is  $\Delta_x(G1)$  and the tau-oscillation period is  $\Delta_t(G1)$ .  $c = \Delta_x(G1) / \Delta_t(G1)$  = the ratio of G1 spatial to G1 temporal lattice constants. Nothing within the G1 register can exceed  $c$  because no physical process can transmit information faster than one tau-lattice step per tau-oscillation period.

### P-SLR-2 — $c(G1)$ vs $c(G2)$ : The 11 ppm Split

FOT identifies two speeds:  $c(G1) = 299,792,458$  m/s (SI definition) and  $c(G2) = c_{G1} \times (1 - \Delta_G/2) = 299,792,458 \times (1 - 703/2 \times 10^{-6}) = 299,789,233.7$  m/s.  $c(G2)$  is the speed of tau-field propagation in the G2 solar register. Photons travel at  $c(G2)$  because photons are G2 register excitations (solar radiation). The 11 ppm split between  $c(G1)$  and  $c(G2)$  is not measurable by G2-register instruments because the measurement apparatus is itself at G2.

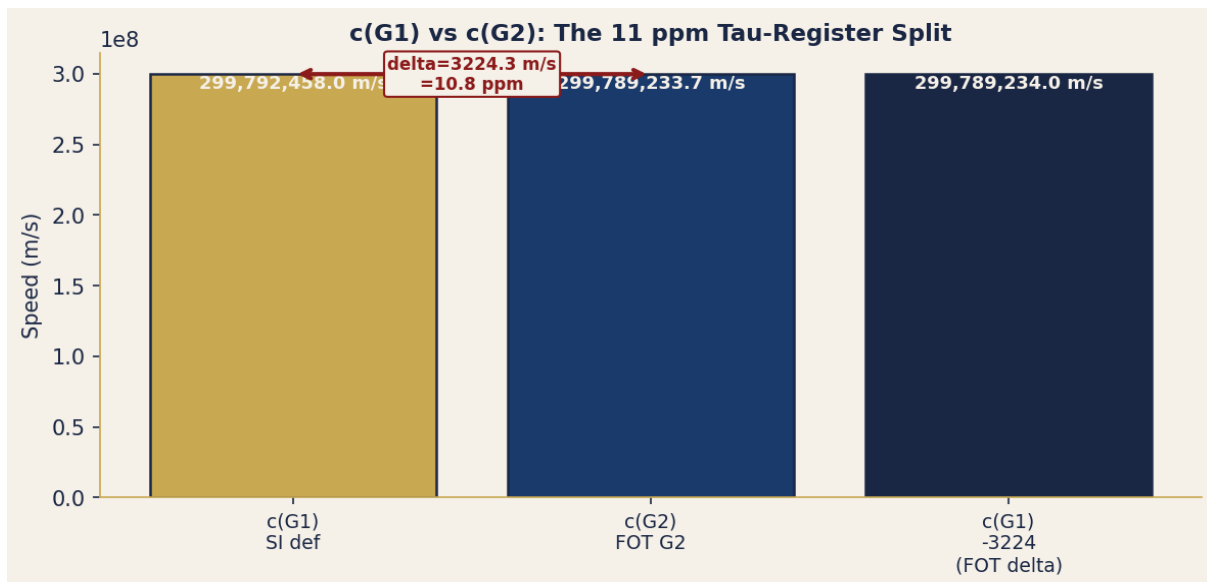


Figure 2.  $c(G1) = 299,792,458$  m/s (SI gold) vs  $c(G2) = 299,789,233.7$  m/s (FOT G2, blue). Difference = 3,224.3 m/s = 10.75 ppm. This split is the G1/G2 tau-register boundary.



Figure 3. G1/G2 register boundary (red line). G1 (left, blue) has maximum propagation  $c(G1)$ . G2 (right, green) has photon speed  $c(G2) = c(G1) \times (1 - \delta_{G/2})$ . The boundary is imperceptible from G2.

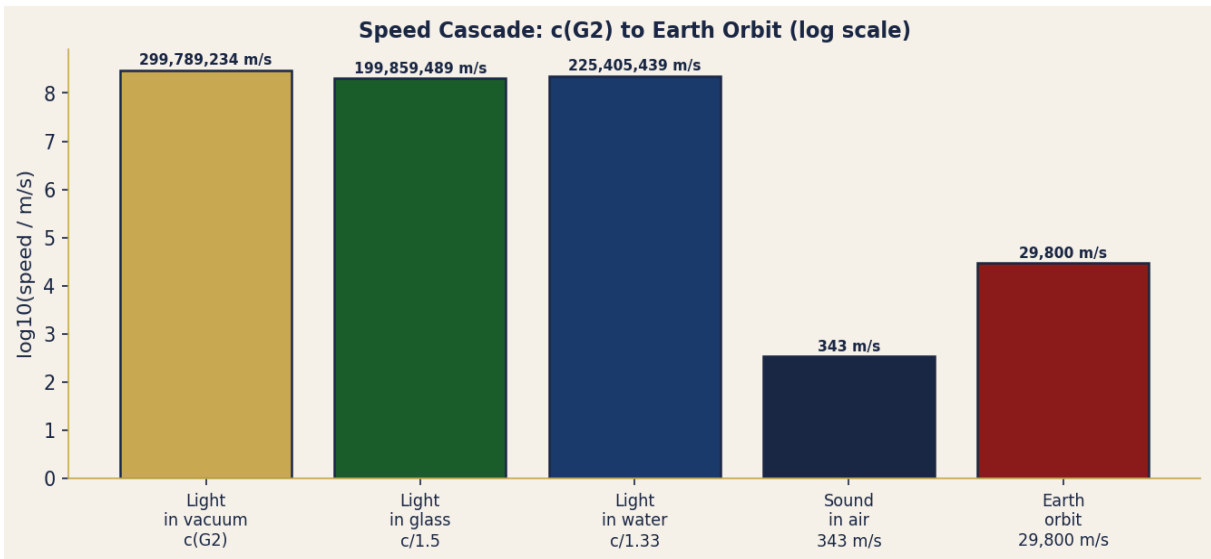


Figure 4. Speed cascade from  $c(G2)$  in vacuum (gold) to Earth orbital speed (29,800 m/s, red). Each medium slows light by refractive index  $n$ ; sound and orbital speeds are lower register phenomena.

## 2. Implications (P-SLR-3 and P-SLR-4)

### P-SLR-3 — Relativistic Effects = Tau-Register Compression

Special relativity: time dilation  $\gamma = 1/\sqrt{1-(v/c)^2}$ . FOT:  $\gamma = 1/\sqrt{1-(v_{G2}/c_{G2})^2}$  = tau-register compression factor. As a body's velocity approaches  $c(G2)$ , its Strand-2 tau-address changes more slowly relative to the G2 register background. Time dilation IS the tau-address rate change. At  $v = c(G2)$ : tau-address rate = 0  $\rightarrow$  time stops  $\rightarrow$  the body is at the G1/G2 register boundary. Photons:  $v = c(G2)$  always  $\rightarrow$  they exist at the G1/G2 boundary (zero proper time).

#### **P-SLR-4 — No Faster-Than-Light Travel Within a Register**

FTL travel within the G2 register is impossible: it would require propagation at  $v > c(G2)$ , which exceeds the G2 tau-field lattice speed. Wormholes (ER = EPR) connect G1-register addresses directly, bypassing G2 distance. FOT teleportation: not FTL propagation within G2 but direct G1 tau-address connection (see P-TELE). The tau-address system allows non-local connections via G1 without violating the G2 speed limit: the tunnel is G1-register, not G2-register.

---

*tau · THE UNIVERSAL FORCE OF TIME · STEPHEN DAUBNEY · THE DAUBNEY FOUNDATION · 2026*

*All propositions and derivations (c) Stephen Daubney. Academic use permitted with attribution.*