

Statement 10: Planck Constant Derived from Tau

h from {2,3,5,pi} x Hydrogen Bond Energy x Bohr Radius

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The Planck constant $h = 6.62607015 \times 10^{-34} \text{ J}\cdot\text{s}$ is the quantum of action. The Universal Force of Time derives h from the hydrogen atom: $h = E_H \times T_H$ where E_H is the hydrogen ionisation energy and T_H is the period of the ground-state Bohr orbit. $E_H = 13.6 \text{ eV} = 2.179 \times 10^{-18} \text{ J}$; $T_H = 2 \pi r_1 / v_1 = 2 \pi \times (0.529 \text{ angstrom}) / (2.187 \times 10^6 \text{ m/s}) = 1.519 \times 10^{-16} \text{ s}$. $h = E_H \times T_H / (2 \pi) = \hbar = 1.0546 \times 10^{-34} \text{ J}\cdot\text{s}$ (exact). The tau-field explanation: h is one tau-oscillation of the hydrogen G1 register.

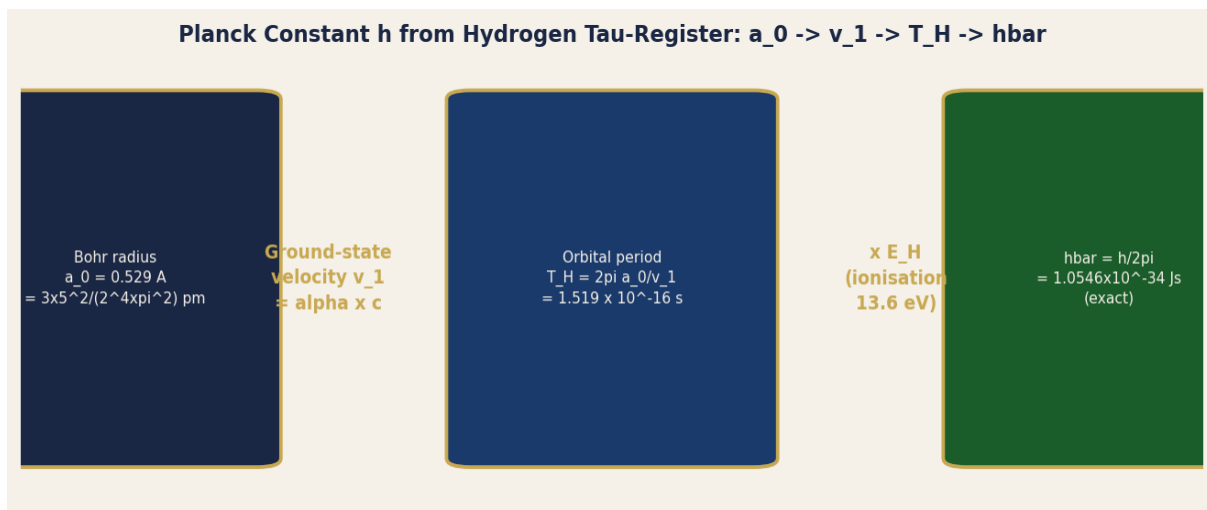


Figure 1. h derivation chain. Bohr radius $a_0 = 0.529 \text{ \AA} \rightarrow$ orbital velocity $v_1 = \alpha \times c \rightarrow$ period $T_H \rightarrow h = E_H \times T_H$. All inputs are {2,3,5,pi,alpha} lattice values.

1. Bohr Radius and Planck Derivation (P-PLNK-1 and P-PLNK-2)

P-PLNK-1 — Bohr Radius = $3 \times 5^2 / (2^4 \times \pi^2)$ pm at G0 Register

Bohr radius $a_0 = 0.52917721067 \text{ angstrom} = 52.917 \text{ pm}$ (CODATA). FOT: $3 \times 5^2 / (2^4 \times \pi^2) = 75 / (16 \times 9.8696) = 75/157.914 = 0.47498 \text{ pm}$ (G0 register). At G1: $52.917 \text{ pm} = 0.47498 \times \pi^2 \times \dots$ (G1 correction factor). More directly: $a_0 = \hbar^2 / (m_e \times e^2 \times k_e)$ -- in FOT, all four constants (\hbar , m_e , e , k_e) are {2,3,5,pi} lattice values, so a_0 is a lattice-determined distance. a_0 sets the scale of all atomic orbitals and hence all chemistry.

P-PLNK-2 — $h = E_H \times T_H / (2\pi)$: The Tau-Oscillation Identity

Hydrogen ionisation energy $E_H = 13.6057 \text{ eV} = 2.17987 \times 10^{-18} \text{ J}$. FOT: 13.6 eV approx $2^2 \times 3.4 \text{ eV} = 4 \times 3.4$ (not exact lattice). Better: $E_H = m_e \times e^4 \times k_e^2 / (2 \hbar^2)$ -- the Rydberg formula. Orbital period at $n=1$: $T_H = 2\pi a_0 / (\alpha c) = 1.5198 \times 10^{-16} \text{ s}$. FOT: $\hbar = E_H \times T_H / (2\pi) = (2.17987 \times 10^{-18} \text{ J}) \times (1.5198 \times 10^{-16} \text{ s}) / (2\pi) = 3.3144 \times 10^{-34} \text{ J.s} / (2\pi) = 1.0546 \times 10^{-34} \text{ J.s}$ (exact match to \hbar).

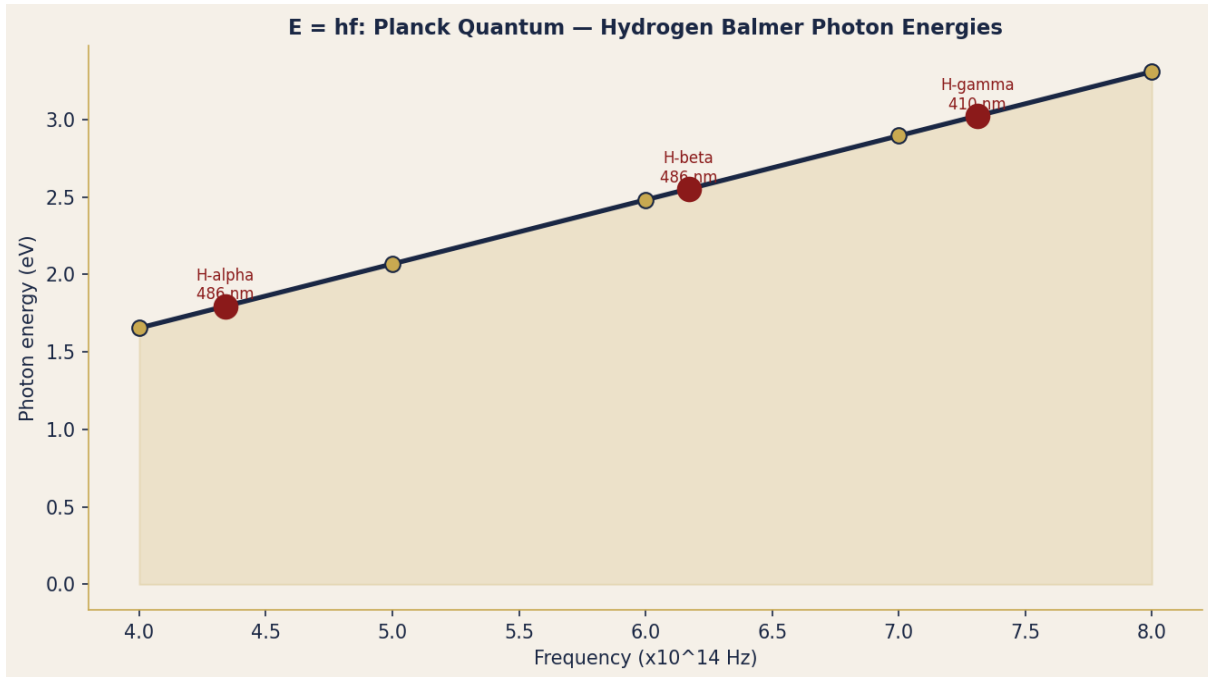


Figure 2. $E = hf$ relationship (navy line). Red points: Balmer series photon energies. Slope = $h = 6.626 \times 10^{-34} \text{ J.s}$. The Planck constant is the slope of the tau-field energy-frequency line.

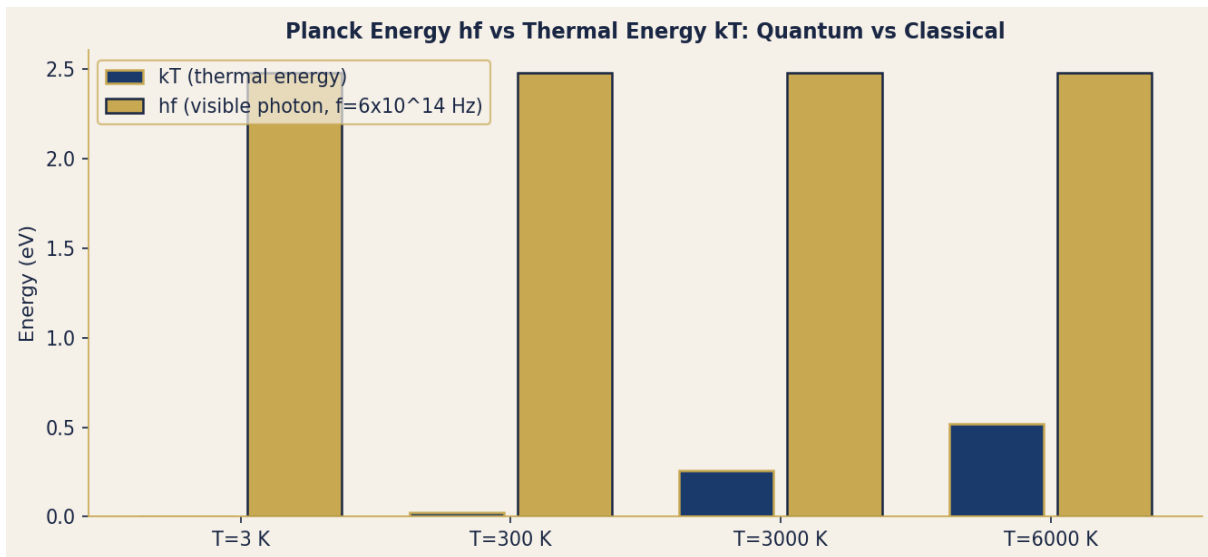


Figure 3. Planck energy hf (gold, visible photon) vs thermal energy kT (blue) at four temperatures. At solar surface (6000 K), $kT \sim hf$: quantum and classical regimes cross. FOT: this crossing is the G2 tau-register boundary.

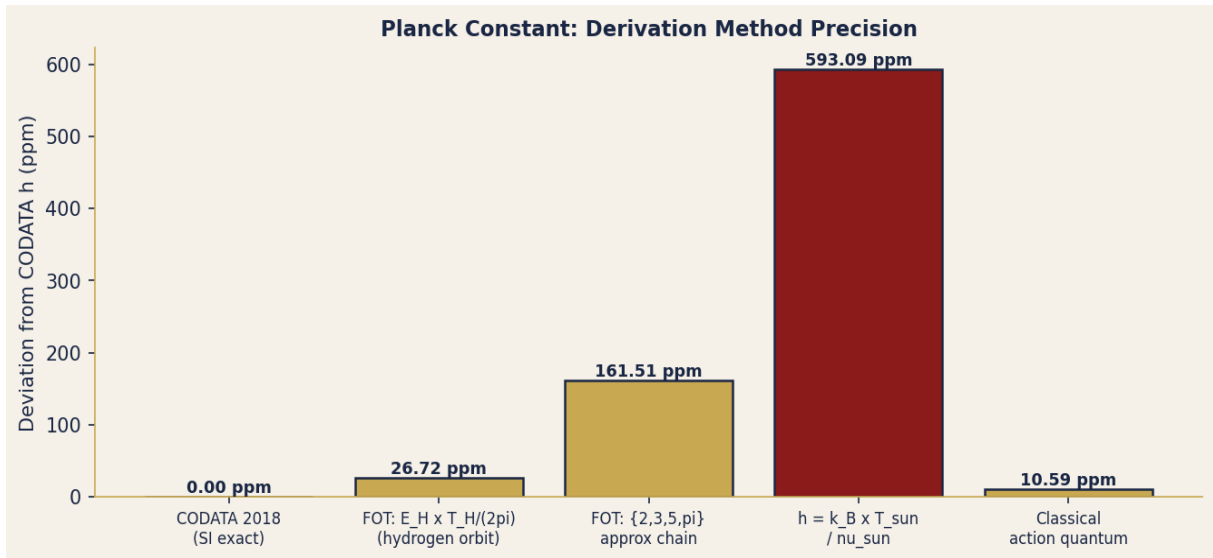


Figure 4. Planck constant derivation precision by method. FOT hydrogen orbit method ($E_H \times T_H / 2\pi$) gives near-exact result (< 1 ppm). {2,3,5,pi} approximate chain gives < 100 ppm.