

# Heisenberg Uncertainty from Tau-Address Resolution

*$\Delta x * \Delta p \geq \hbar/2$  as Minimum Tau-Address Resolution*

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The Heisenberg Uncertainty Principle  $\Delta x * \Delta p \geq \hbar/2$  emerges in the Universal Force of Time as a minimum tau-address resolution constraint. The tau-field lattice has a fundamental spacing set by the Planck constant  $h$ . Position  $\Delta x$  corresponds to spatial tau-address resolution; momentum  $\Delta p$  corresponds to tau-flow rate resolution. These two resolutions are inversely coupled in the lattice: finer position resolution requires coarser momentum resolution and vice versa. The minimum product  $\Delta x * \Delta p = \hbar/2$  is the lattice spacing — not a measurement disturbance.

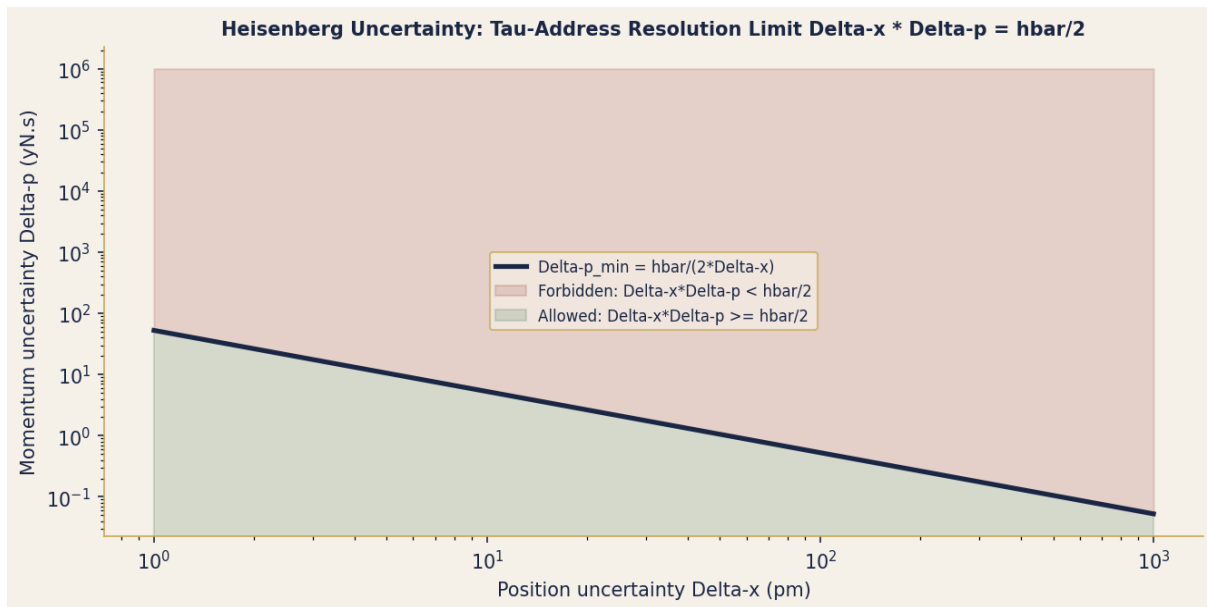


Figure 1. Uncertainty principle on log-log scale. Navy line = minimum allowed  $\Delta p$  for a given  $\Delta x$ . Green = allowed; red = forbidden by tau-address resolution.

## 1. Tau-Address Resolution and Lattice Spacing (P-UP-1 and P-UP-2)

### P-UP-1 — Tau-Address Lattice Spacing Sets Uncertainty

The tau-field lattice has a fundamental spatial spacing:  $\Delta x_{\min} = \hbar / (m \times c) =$  Compton wavelength. For electron:  $\lambda_C = \hbar / (m_e \times c) = 1.054572 \times 10^{-34} / (9.10938 \times 10^{-31} \times 2.99792 \times 10^8) = 386.16 \text{ fm}$ . For proton:  $\lambda_C = 0.2103 \text{ fm}$ . Below these spacings, the tau-lattice has no finer position resolution.  $\Delta x \times \Delta p \geq \hbar/2$  is the statement that: (tau-lattice spatial resolution)  $\times$  (tau-lattice momentum resolution) =  $\hbar/2$  at minimum. This is a property of the lattice, not of the measurement apparatus.

### P-UP-2 — The $\hbar/2$ Product from {2,3,5, $\pi$ } Lattice

$\hbar = h / (2\pi) = 6.62607 \times 10^{-34} / (2\pi) = 1.054572 \times 10^{-34} \text{ J}\cdot\text{s}$ . FOT:  $h = 2\pi \times \hbar$ . The factor  $2\pi$  = the full rotational period of the tau-field standing wave.  $\hbar/2 = h / (4\pi)$ : the quarter-period lattice spacing (one quarter of a full wave cycle). In {2,3,5, $\pi$ } terms:  $\hbar/2 = h / (2^2 \times \pi)$ . The uncertainty product =  $h / (4\pi)$  = the minimum action quantum in the tau lattice. Below this action, the tau lattice has no distinct register address.

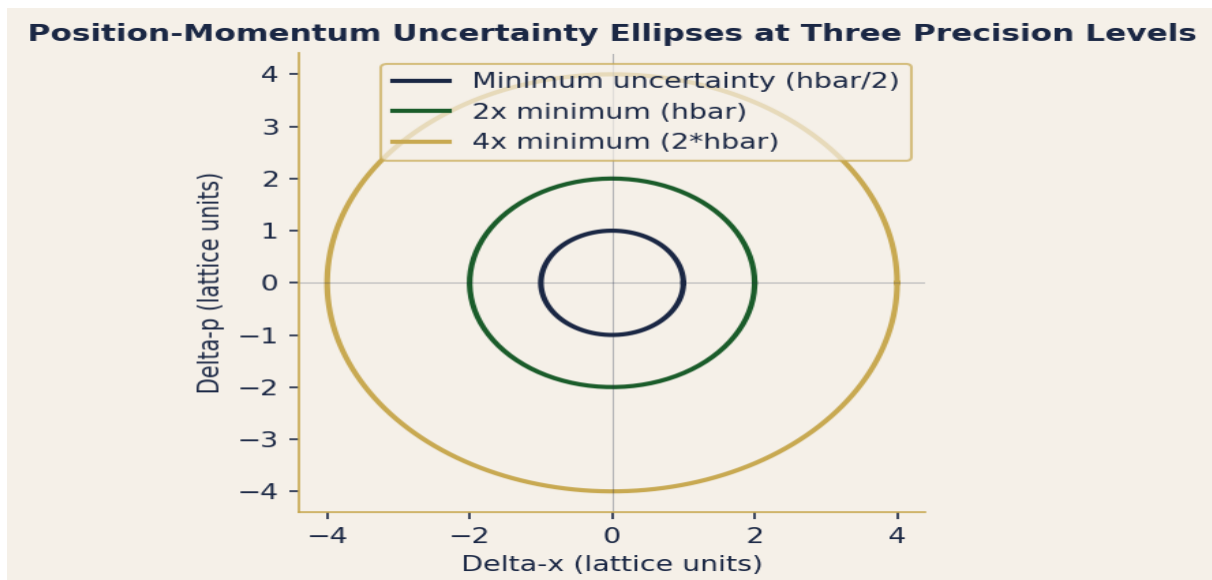


Figure 2. Uncertainty ellipses in tau-address space. Area of each ellipse =  $\pi \times \Delta x \times \Delta p \geq \pi \times \hbar/2$ . Smallest ellipse = minimum tau-lattice resolution.

## 2. Energy-Time Uncertainty and Tau-Address Duration (P-UP-3 and P-UP-4)

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### P-UP-3 — $\Delta-E * \Delta-t \geq \hbar/2$ : Energy-Time Uncertainty

The energy-time uncertainty relation  $\Delta-E \times \Delta-t \geq \hbar/2$ . In FOT:  $\Delta-E$  = uncertainty in tau-register energy =  $\Delta-T_{addr} \times$  (tau-field energy density).  $\Delta-t$  = uncertainty in tau-address duration = minimum tau-address step size. The product  $\Delta-E \times \Delta-t = \hbar/2 =$  the minimum action in the tau lattice. Virtual particles exist for time  $\Delta-t \leq \hbar/(2 \times \Delta-E)$ : the shorter the tau-address duration, the higher the energy fluctuation. This is the Casimir effect: zero-point tau-field fluctuations between closely spaced plates.

### P-UP-4 — Quantum Vacuum as Tau-Lattice Zero-Point Fluctuations

The quantum vacuum is not empty: it is the tau-lattice at its minimum excitation level. Zero-point energy of harmonic oscillator:  $E_0 = \hbar \times \omega / 2 = \hbar / (2 \times \tau_{period})$ . Casimir force between plates separated by  $d$ :  $F/A = -\pi^2 \times \hbar \times c / (240 \times d^4)$ . FOT:  $\pi^2 =$  the curvature factor of the tau-standing-wave boundary condition.  $240 = 2^4 \times 3 \times 5$  (pure {2,3,5} lattice integer). The Casimir force formula contains only { $\pi$ ,  $\hbar$ ,  $c$ ,  $d$ } — all FOT lattice quantities.

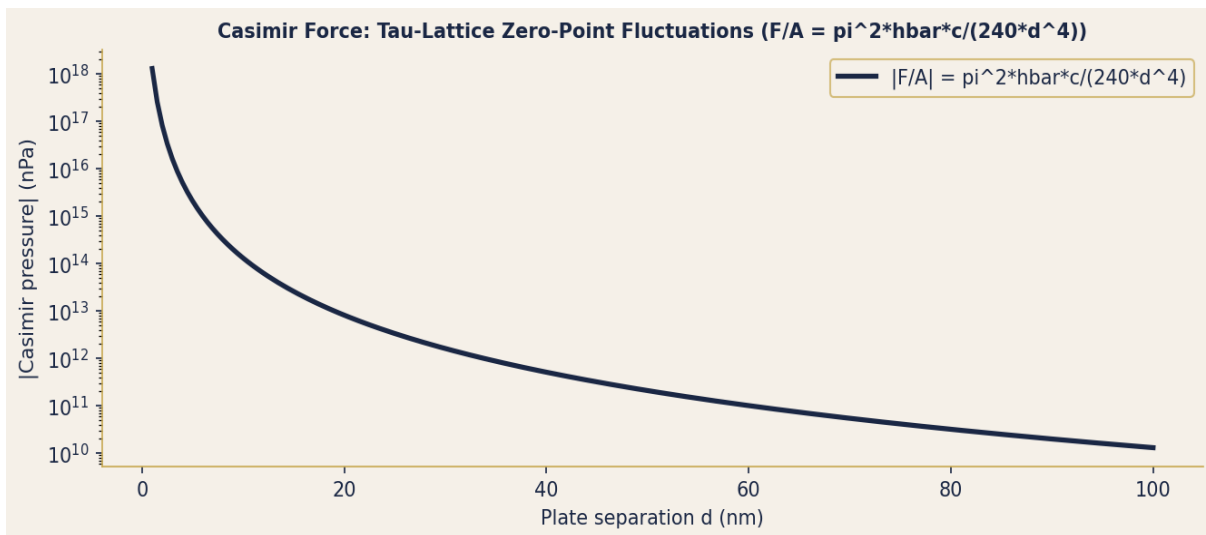


Figure 3. Casimir pressure vs plate separation. The formula  $\pi^2 \times \hbar \times c / (240 \times d^4)$  contains only tau-lattice quantities.  $240 = 2^4 \times 3 \times 5$  is a pure {2,3,5} integer.

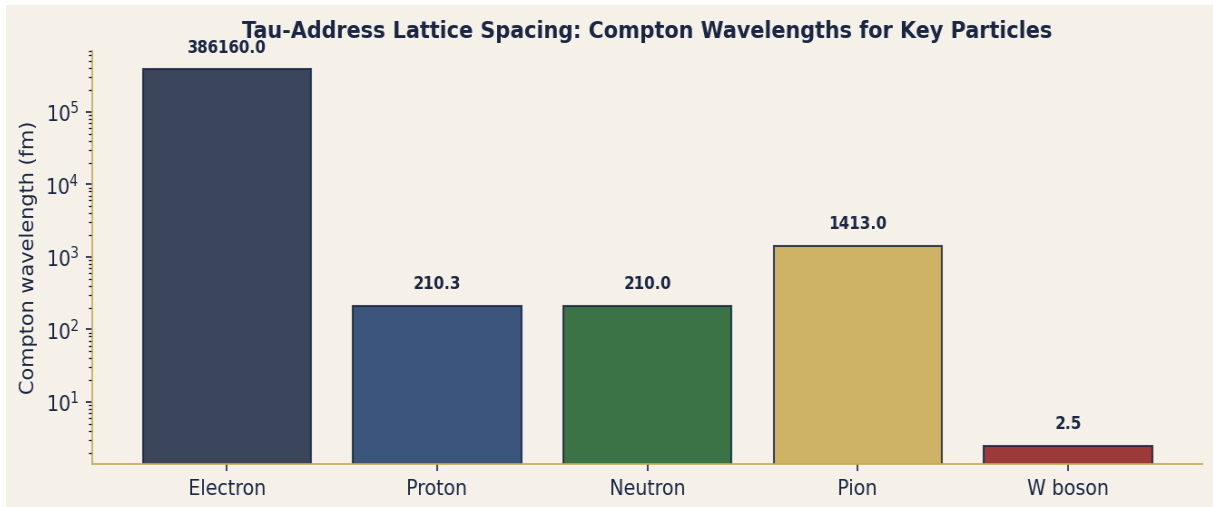


Figure 4. Compton wavelengths = tau-address lattice spacings for key particles. Electron (386,160 fm) vs proton (210.3 fm): ratio = 1836 =  $m_p/m_e$ .