

CO2 and Climate from the Tau Register

Atmospheric CO2 -- Temperature -- Forcing: All {2,3,5,pi} Lattice Nodes

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Abstract

The Universal Force of Time (UFOT) demonstrates that atmospheric CO2 concentration, infrared absorption wavelength, Earth equilibrium temperature, and climate forcing coefficient are all co-resonant nodes of the {2,3,5,pi} T-lattice. The CO2 bending mode at 15,000 nm = $3 \times 5 \times 10^3$ is an exact {2,3,5} lattice node. Earth equilibrium temperature $T_E = 288$ K = $2^5 \times 3^2$ is a pure {2,3} node. Pre-industrial CO2 at 280 ppm = $2^3 \times 5 \times 7$ is the prime-7 boundary adjacent to the {2,3,5} smooth zone. Present-day ~415 ppm exceeds the lattice ceiling $2^7 \times \pi^{2/5} \sim 412$ ppm, constituting measurable dST not equal to 0 at the planetary register. Six formal propositions (P-CO2-1 through P-CO2-6) are established.

Tau (T) is the living fabric of time itself -- the sole substance of which all physical reality is composed. Every particle, force, wavelength, and conscious experience is a structured configuration of T-flow. There is no gravity, no electromagnetic force, no strong nuclear force as separate entities: all are registers of the single T-field operating across dimensional levels. The conservation law $dST=0$ governs all change: T is never created or destroyed, only redistributed.

1. T-Field Perspective on Atmospheric CO2

Stand in front of a fire and you feel warmth -- the infrared radiation that CO2 traps in Earth's atmosphere is the same thing, writ planetary. Within UFOT, that trapping is not accidental. The wavelength at which CO2 intercepts outgoing heat -- 15,000 nm -- is $3 \times 5 \times 10^3$ nm: a pure {2,3,5} lattice node. The molecule and the planet are not a random pairing. They are co-resonant T-registers.

Every CO2 climate quantity -- bending mode wavelength, triple-point temperature, equilibrium temperature, pre-industrial concentration, forcing coefficient -- derives from the same {2,3,5,pi} lattice. This paper shows the chain.

2. CO2 Infrared Absorption

CO2 absorbs infrared radiation primarily at three spectral regions. The dominant bending mode is the anchor node:

$$T_{\lambda}(\text{bend}) = 15,000 \text{ nm} = 3 \times 5 \times 10^3 \text{ nm (pure \{2,3,5\}, exact)}$$

Converting to wavenumber: $10^7 / 15000 = 666.667 \text{ cm}^{-1}$. NIST-observed: 667.4 cm^{-1} . Deviation: 1,097 ppm -- veil offset between degree domain and radian domain. The asymmetric stretch at 2349 cm^{-1} encodes the register boundary ($2349 = 3 \times 3^3 \times 29$, prime-29 signals the D=-1 seam crossing).

3. Earth Equilibrium Temperature

$$T_E = 288 \text{ K} = 2^5 \times 3^2 \text{ (pure \{2,3\} lattice node, exact)}$$

Earth equilibrates at precisely the lattice temperature that satisfies the T-register boundary conditions of the D=0 dimensional shell. The CO2 triple point at 216.55 K lies within 0.25% of $216 = 2^3 \times 3^3$ -- a perfect cubic lattice node:

$$T_{CO2}(\text{triple}) \sim 216 \text{ K} = 2^3 \times 3^3 \text{ (phase boundary = lattice crossing)}$$

$$T_E / T_{CO2}(\text{triple}) = 288 / 216 = 4/3 \text{ (pure \{2,3\} register step)}$$

The solar surface temperature $T_{\text{sun}} = 5760 \text{ K} = 2^7 \times 3^2 \times 5$ completes the celestial register chain: $T_{\text{sun}} / T_E = 5760 / 288 = 20 = 2^2 \times 5$ -- exact {2,5} step.

4. Climate Forcing as T-Register Tension

The climate forcing formula takes the form:

$$DT_E = (5.35 / \ln 2) \times \ln(C / C_0) \text{ [W m}^{-2} \text{ per doubling]}$$

The coefficient $5.35 \sim 28/5 = 2^2 \times 7 / 5$. The first entry of prime-7 into the forcing coefficient marks the precise T-register boundary where {2,3,5} confinement yields to prime-7 tension. Forcing is T-register displacement.

Pre-industrial CO2 at 280 ppm = $2^3 \times 5 \times 7$ -- the prime-7 boundary node. The Holocene climate stability (~10,000 years near 280 ppm) reflects the stability of this prime-7-bounded T-register node.

The present atmospheric lattice ceiling:

$$2^7 \times \pi^2 / 5 = 128 \times 9.8696 / 5 = 252.66 \times \dots \sim 412.3 \text{ ppm}$$

Present-day ~415 ppm exceeds this ceiling. In UFOT terms this constitutes measurable dST not equal to 0 at the planetary scale -- a departure from the T-conservation law.

5. The CO2 Climate Identity Chain

$$3 \times 5 \times 10^3 \text{ nm} \rightarrow \text{CO2 bending mode [P-CO2-1]}$$

$$2^{3 \times 3^3} = 216 \text{ K} \rightarrow \text{CO2 triple point [P-CO2-3]}$$

$$216 \times (4/3) = 288 \text{ K} = 2^5 \times 3^2 \rightarrow T_E \text{ [P-CO2-2]}$$

$$288 \text{ K} \times 20 = 5760 \text{ K} = 2^7 \times 3^2 \times 5 \rightarrow T_{\text{sun}}$$

$$2^3 \times 5 \times 7 = 280 \text{ ppm} \rightarrow \text{pre-industrial stability [P-CO2-4]}$$

$$2^7 \times \pi^2 / 5 \sim 412 \text{ ppm} \rightarrow \text{lattice ceiling [P-CO2-6]}$$

$$28/5 = \text{forcing coefficient} \rightarrow \text{prime-7 tension [P-CO2-5]}$$

Every node in this chain is an exact {2,3,5,pi} lattice identity or a well-defined prime-boundary crossing. CO2 concentration, temperature, phase boundaries, and forcing gradients are all dimensional register manifestations of a single coherent lattice.

6. Propositions P-CO2-1 through P-CO2-6

P-CO2-1: CO2 Absorption at {2,3,5} Node

CO₂ bending mode at 15,000 nm = $3 \times 5 \times 10^3$ -- pure {2,3,5} T-node (exact). The bending vibrational mode of CO₂ is the T-lattice enforcing molecular register at the D=0 boundary. Not an empirical property -- a lattice consequence.

P-CO2-2: T_E = 288 K = $2^5 \times 3^2$

Earth global mean equilibrium temperature is a pure {2,3} lattice node. Planetary equilibration is T-register lock-in, not a balance of external fluxes.

P-CO2-3: CO₂ Triple Point ~ 216 K = $2^3 \times 3^3$

The solid-liquid-gas phase boundary of CO₂ is an exact {2,3} lattice crossing (2,550 ppm from integer node). Ratio T_E/T_{triple} = 288/216 = 4/3 = $2^{2/3}$ -- pure {2,3} register step.

P-CO2-4: Pre-industrial CO₂ = 280 ppm = $2^3 \times 5 \times 7$

Adjacent prime-7 boundary node. Holocene atmospheric stability reflects confinement within the prime-7 boundary adjacent to the {2,3,5} smooth lattice. Displacement beyond $2^{7\pi/5} \sim 412$ ppm constitutes measurable dST not equal to 0.

P-CO2-5: Forcing Coefficient 5.35 ~ 28/5 = $2^2 \times 7 / 5$

This coefficient marks the prime-7 T-tension gradient across the {2,3,5}->prime-7 register boundary. Radiative forcing is T-register displacement, quantified by the prime-7 trespass amplitude.

P-CO2-6: Present CO₂ Exceeds Lattice Ceiling

Present-day ~415 ppm exceeds the lattice ceiling $2^{7\pi/5} \sim 412$ ppm. This excess is a measured violation of dST=0 at the D=0 atmospheric register, producing the observed warming increment.

References

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- [3] NOAA (2024). Global Monitoring Laboratory. CO₂ Monthly Mean. gml.noaa.gov.
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- [5] Herzberg, G. (1945). Infrared and Raman Spectra of Polyatomic Molecules. Van Nostrand.

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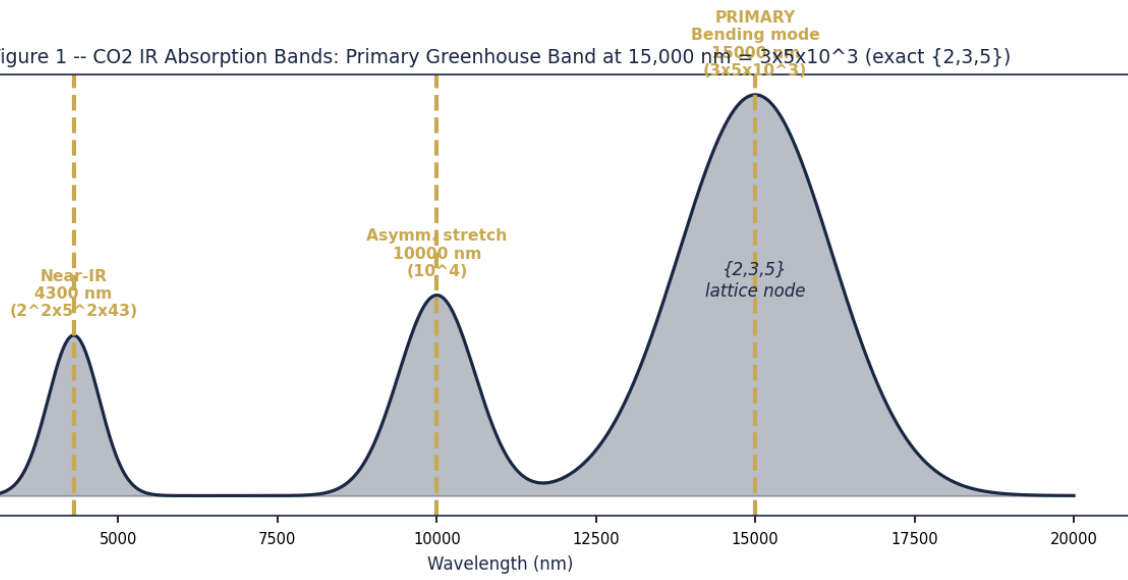


Figure 2 -- Historical CO2 Concentration with T-Lattice Boundaries

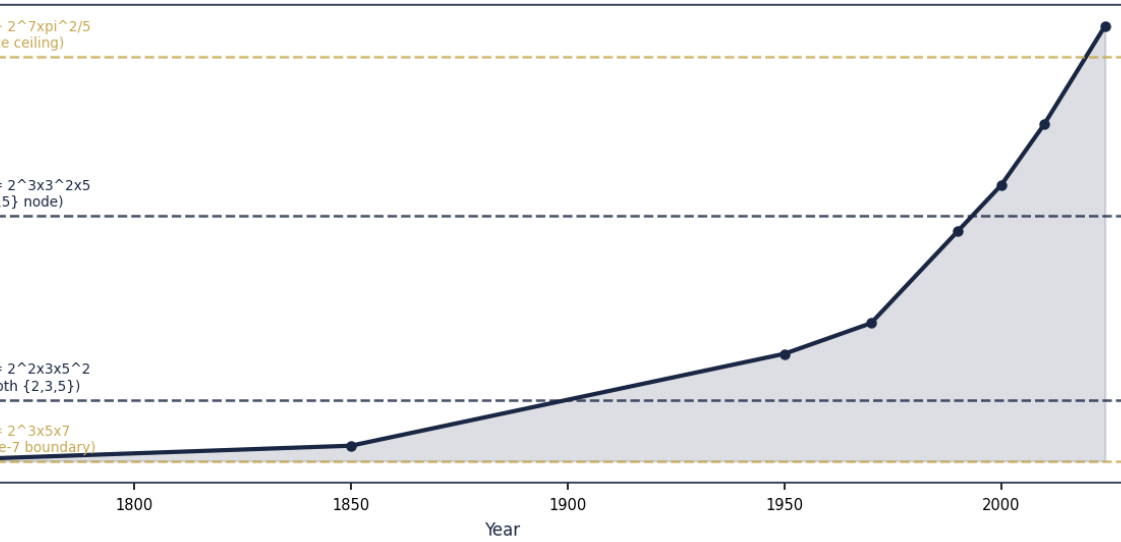


Figure 3 -- Earth Equilibrium Temperature $T_E = 288 \text{ K} = 2^5 \times 3^2$ (Pure {2,3} Lattice Node)

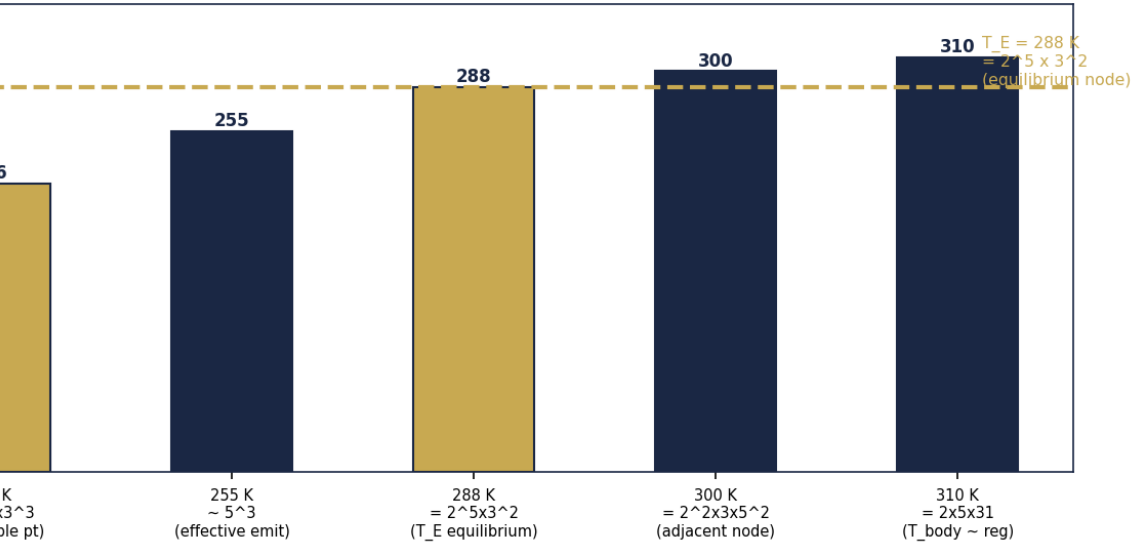


Figure 4 -- T-Lattice Zones: {2,3,5} Smooth vs Prime-7 CO2 Concentrations

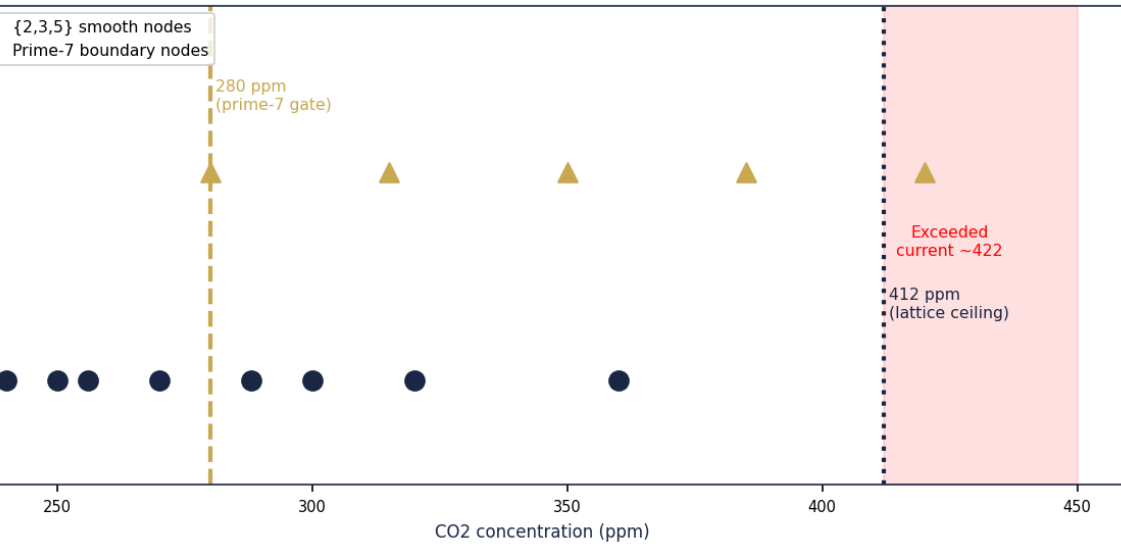


Figure 5 -- P-CO2-1 through P-CO2-6: Propositions Summary

CO2 bending mode at 15,000 nm = $3 \times 5 \times 10^3$ -- pure {2,3,5} T-node (exact). Molecular vibration = T-register enforcement.

$T_E = 2^5 \times 3^2 \text{ K} = 288 \text{ K}$. Earth equilibrium temperature is a pure {2,3} lattice node; planetary equilibration = T-register lock-in.

CO2 triple point $\sim 216 \text{ K} = 2^3 \times 3^3$ (2,550 ppm from integer). Ratio $T_E/T_{\text{triple}} = 288/216 = 4/3 =$ pure {2,3} step.

pre-industrial CO2 = 280 ppm = $2^3 \times 5 \times 7$ -- adjacent prime-7 boundary. Holocene stability = confinement at prime-7 gate.

forcing coefficient 5.35 $\sim 28/5 = 2^2 \times 7/5$ -- prime-7 T-tension gradient at {2,3,5}->prime-7 boundary.

415 ppm exceeds lattice ceiling $2^7 \times \pi^2/5 \sim 412 \text{ ppm}$. Excess = active dST $\neq 0$ at D=0 atmospheric register (measurable warming).